

Sparse Interpolation via ε -Smooth Support Vector Regression and Uniform Design

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IoT: An Expected View in (near)Future

Data Deluge: 資料的洪荒之力

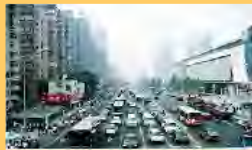


Potential of IoT

- The IoT has the potential to connect 26 billion Things to the Internet by 2020, in contrast to 7.3 billion units of PCs/notebooks/smartphones (Peter Middleton, research director, Gartner Inc.)
- Examples: wearable wristbands, home devices (ICS), transportation (ITS), smart cities and industry 4.0



Energy



Transportation



Smart
Buildings



Environment
Monitoring



Smart
Factories



Medical



Retail

Data from IoT

IoT provides a channel for smart sensing and continuously monitoring the interesting targets:

- **Data generated by things**: to monitor devices, machines or infrastructure such as energy meters, elevators, airplane engines, bridges. This data can be used for predictive analytics, to repair or replace these items before they break
- **Data about things**: to *monitor natural phenomena* such as meteorological patterns, underground pressure during oil extraction, or patient vital statistics during recovery from a medical procedure.

Data from IoT (cont'd)

- ◆ Sensor/IoT data is one of the major data resources now and IoT data analytics has become a paradigm in the Big Data era
 - ◆ **Volume:** Vast amount of sensors collecting data continuously
 - ◆ **Velocity:** Data coming in minutes, seconds and even in microseconds
 - ◆ **Variety:** Nominal/numerical types, text/multimedia, images, audio, and video, etc.
 - ◆ **Veracity:** High noises, inconsistency and incompleteness

Applying Sensing Technology

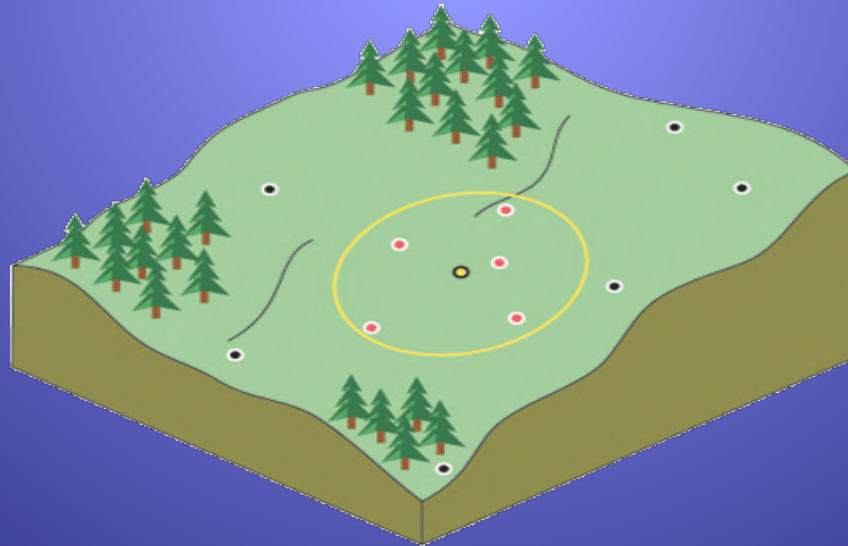
- ◆ Monitoring physical phenomena is an important application domain for wireless sensor networks.
- ◆ Continuous Monitoring is useful in a wide range of applications such as
 - Sensing
 - Monitoring in health conditions
 - Environmental monitoring
 - Sensing spectrum in cognitive networks



Continuous monitoring and
detection with model adaptation

Motivation

- ◆ A precise continuous monitoring systems is often impractical due to restrictions in sensor placement and availability.
- ◆ Discrete number of sensors – continuous variable of interest
- ◆ Sensors aren't always deployed uniformly



Interpolation methods

- ◆ Traditional methods include Ordinary Kriging (OK) and Inverse Distance Weighting (IDW)

- ◆ IDW weight formula:

$$w_i = \frac{1/d_i^2}{\sum_{j=1}^n 1/d_j^2}, \sum_{i=1}^n w_i = 1 \quad n = \text{Sensor amount}$$

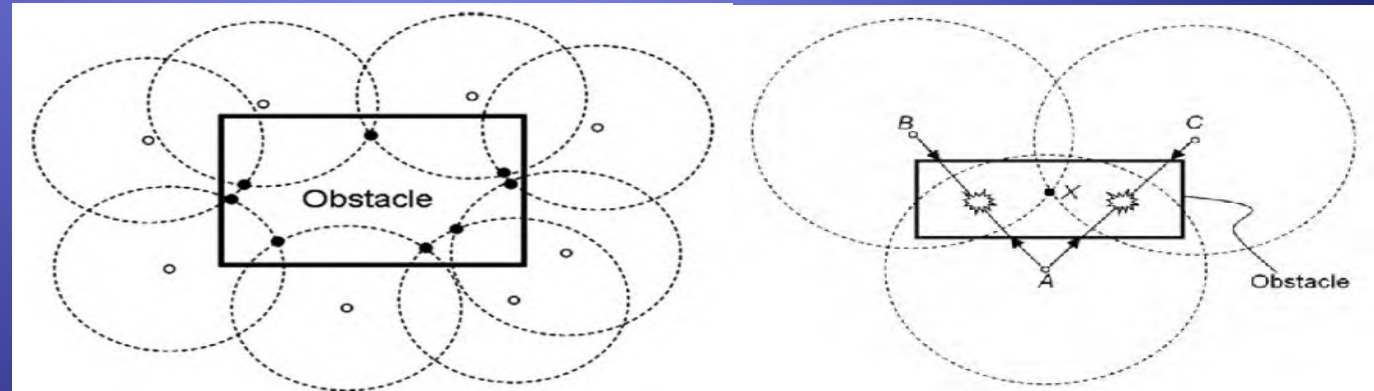
- ◆ OK weight formula:

$$\sum_{j=1}^n \lambda_j \text{cov}(d_{ij}) = \text{cov}(d_{i0})$$

Calculate a weighted sum of measurements from surrounding sensors to interpolate a surface over the region.

Coverage Holes Problem

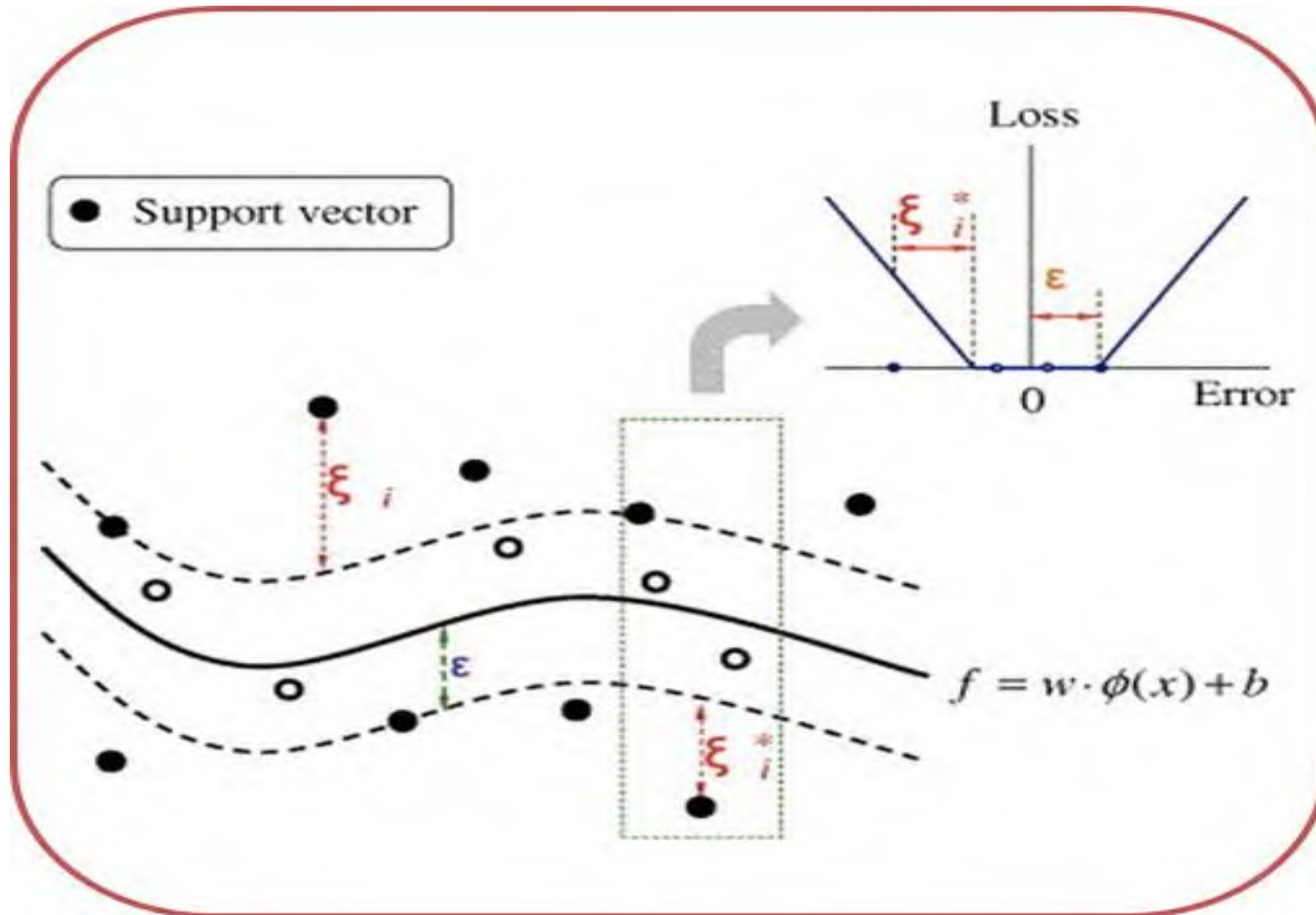
- ◆ The quality of any interpolation produced will suffer if sensors are too sparsely deployed.
- 1) Unavoidable obstacles such as walls and geographic formations.
- 2) Node failures caused by power depletion.
- 3) Environmental factors (heat, vibration, failure of electronic components or software bugs)
- 4) The vast scale and/or inherent hostility of the monitored area, e.g. ocean buoys.



Main Idea

1. Use a local linear interpolation to create “artificial sensors”, *scattered uniformly across the region (Uniform Design)*
2. With the values of all the sensors, artificial and real, perform a **global regression** to find the surface for the whole region
3. Set *different tolerances* for the *real and artificial sensors* (ϵ -insensitive smooth support vector regression)

ϵ -insensitive SVR



ϵ -insensitive SVR

Consider:

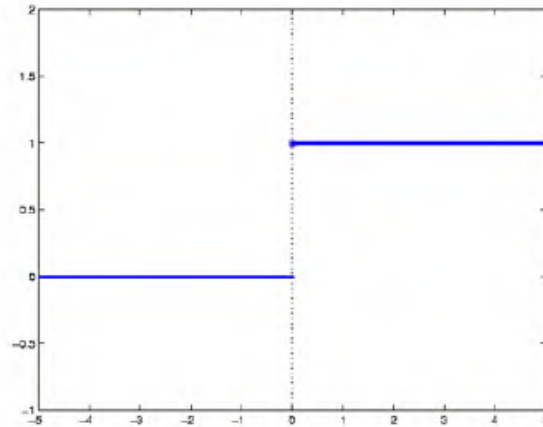
$$\min_{(w, b, \xi) \in \mathbb{R}^{n+1+m}} \frac{1}{2} \|w\|_2^2 + C \mathbf{1}^\top |\xi|_\epsilon$$

where $|\xi|_\epsilon \in \mathbb{R}^m$, $(|\xi|_\epsilon)_i = \max(0, |A_i w + b - y_i| - \epsilon)$

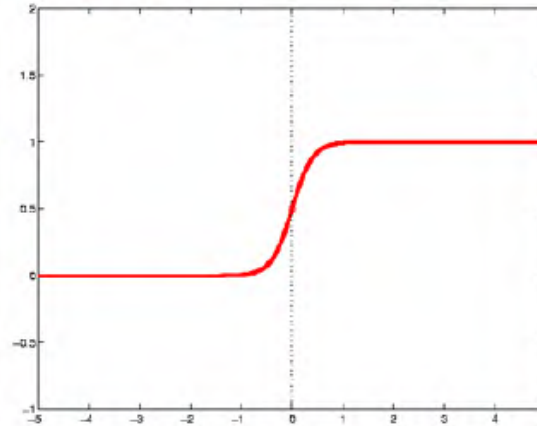
- C is the weight parameter that balances the training error and model complexity

Smooth Functions

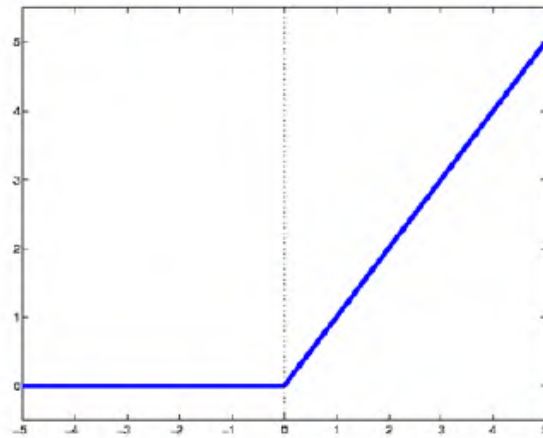
Step function x_*



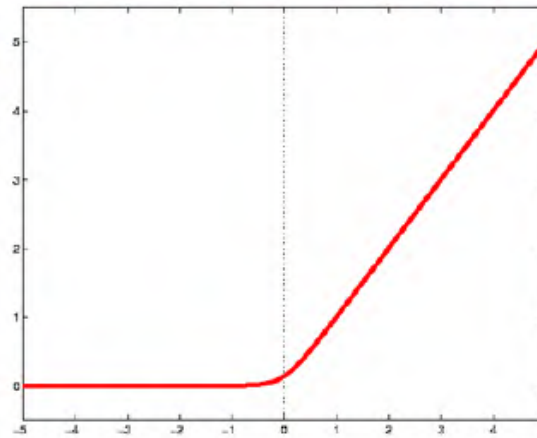
Sigmoid function: $\frac{1}{(1+e^{-5x})}$



Plus function: x_+

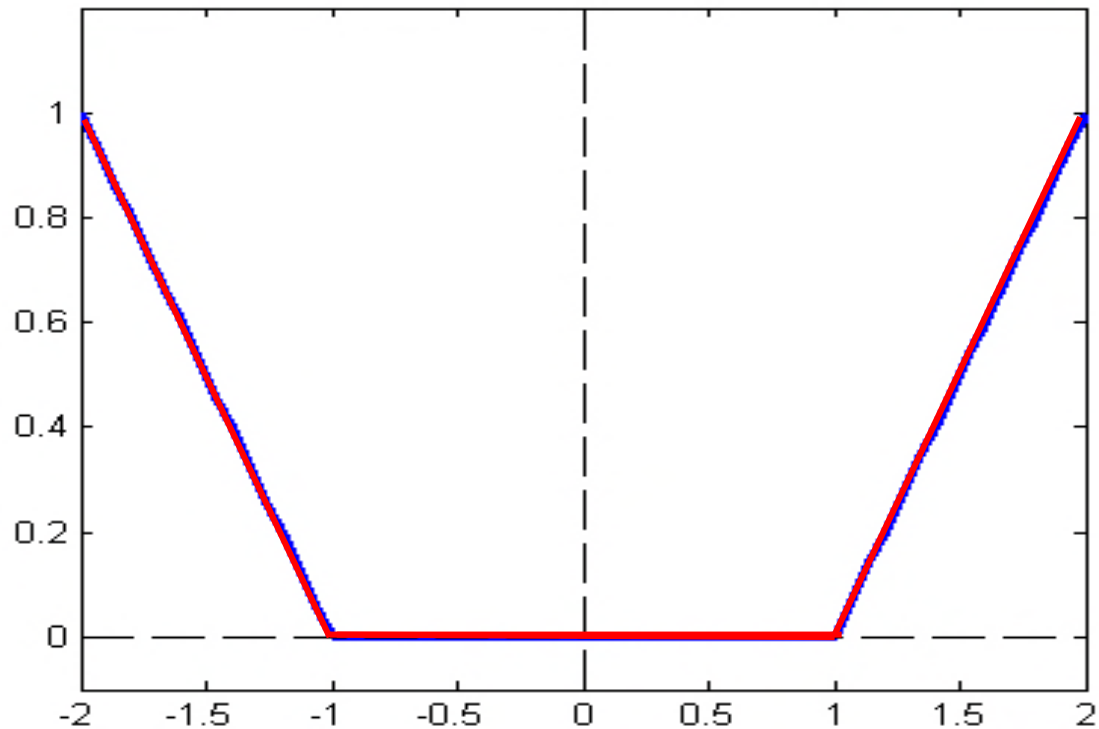


p-function: $p(x, 5)$

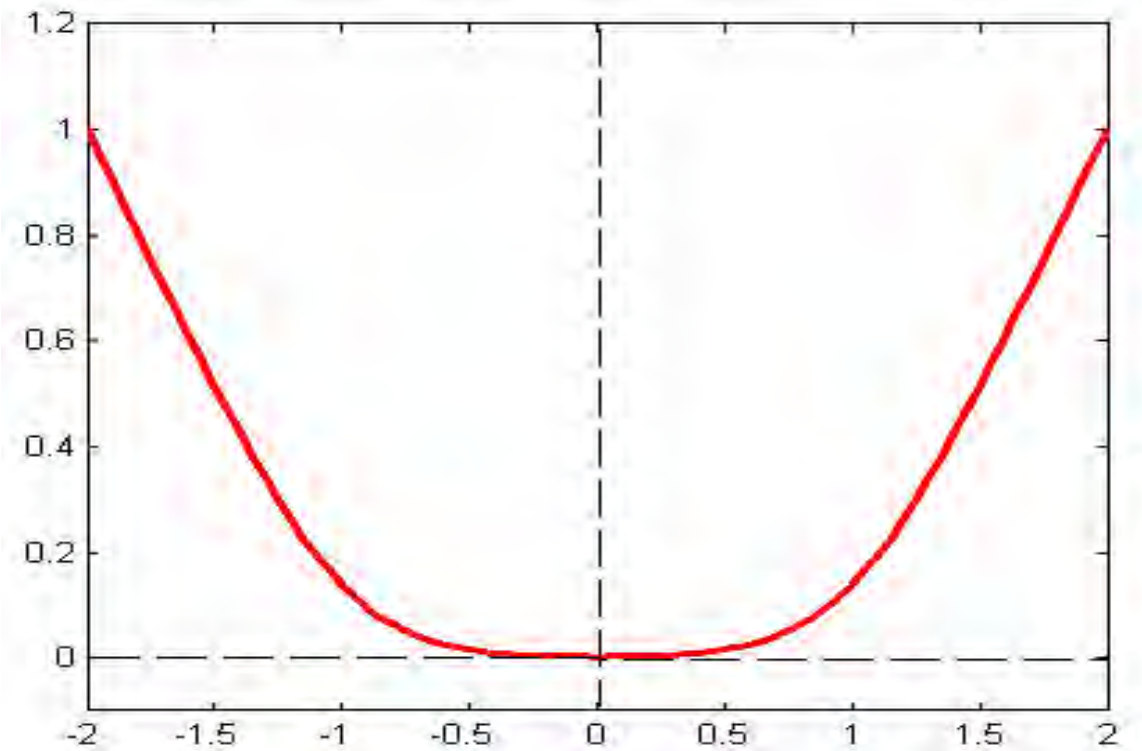


Smooth the \mathcal{E} -Insensitive Function

$$p_{\varepsilon}(x, \alpha) = p(x - \varepsilon, \alpha) + p(-x - \varepsilon, \alpha)$$



$\varepsilon = 1$



$\varepsilon = 1, \alpha = 5$

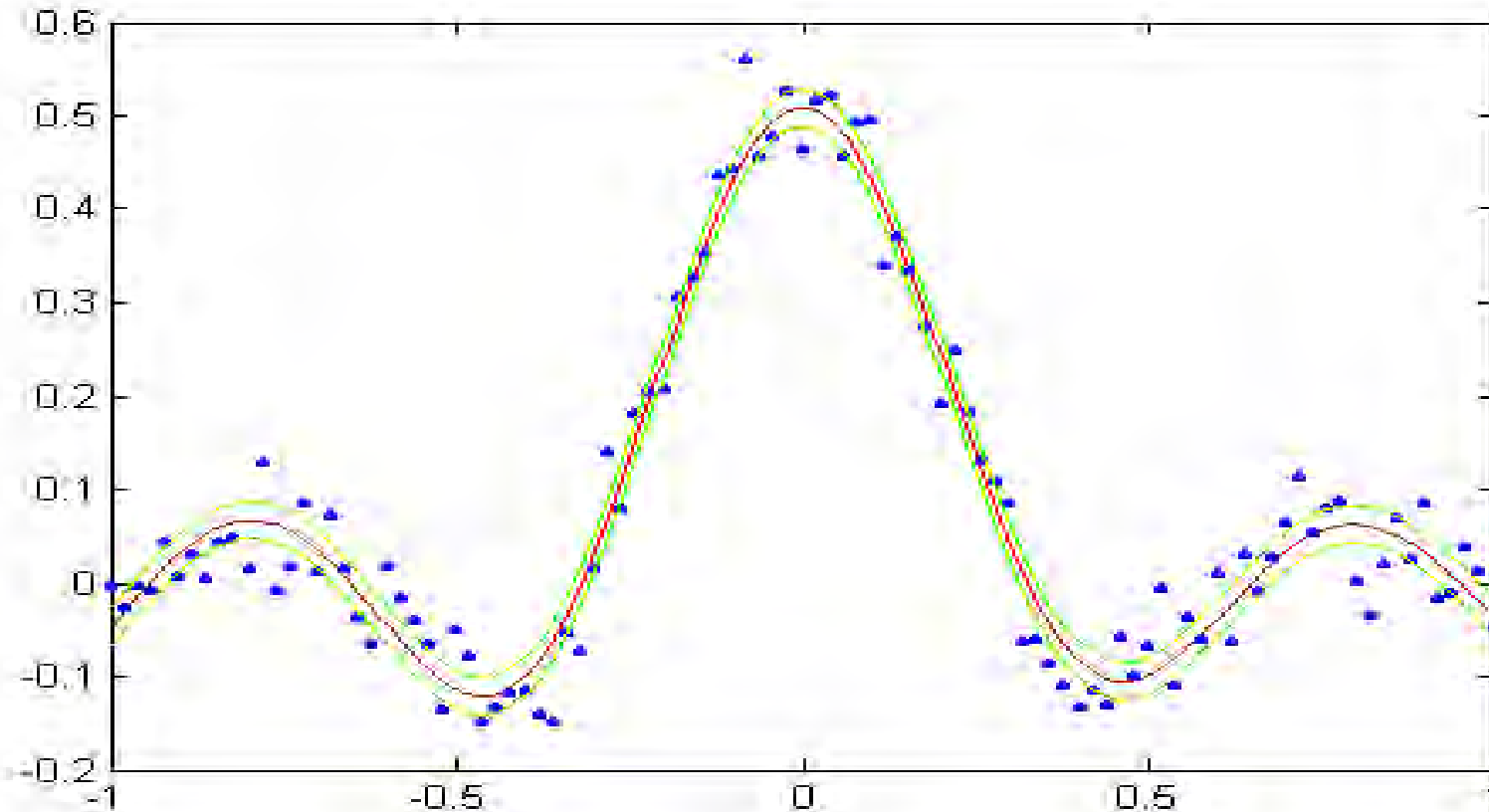
101 Data Points in

Nonlinear SSVR with Kernel:

$$R \times R$$

$$\exp^{-\mu \|x^i - x^j\|_2^2}$$

$$f(x) = 0.5 * \sin c\left(\frac{10}{\pi}\right) + noise$$



$x \in [-1, 1]$, 101 points

Noise: mean=0

$$\sigma = 0.04$$

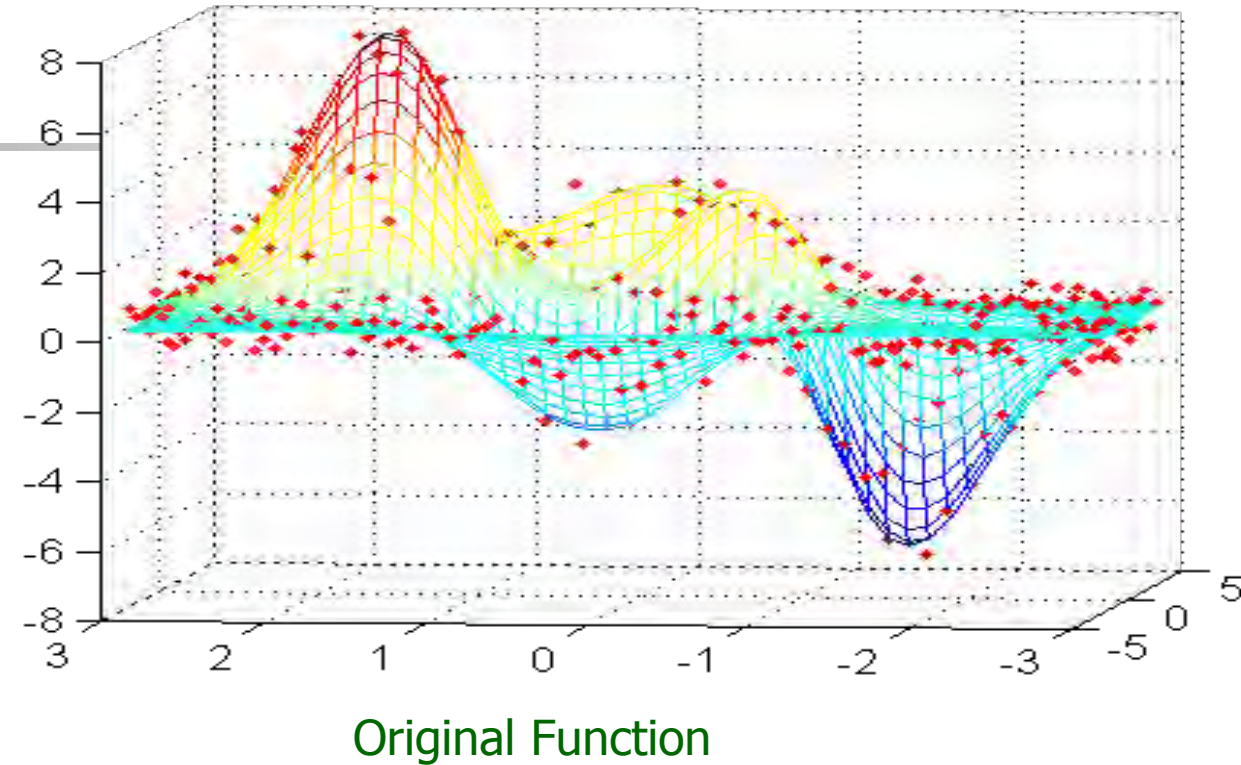
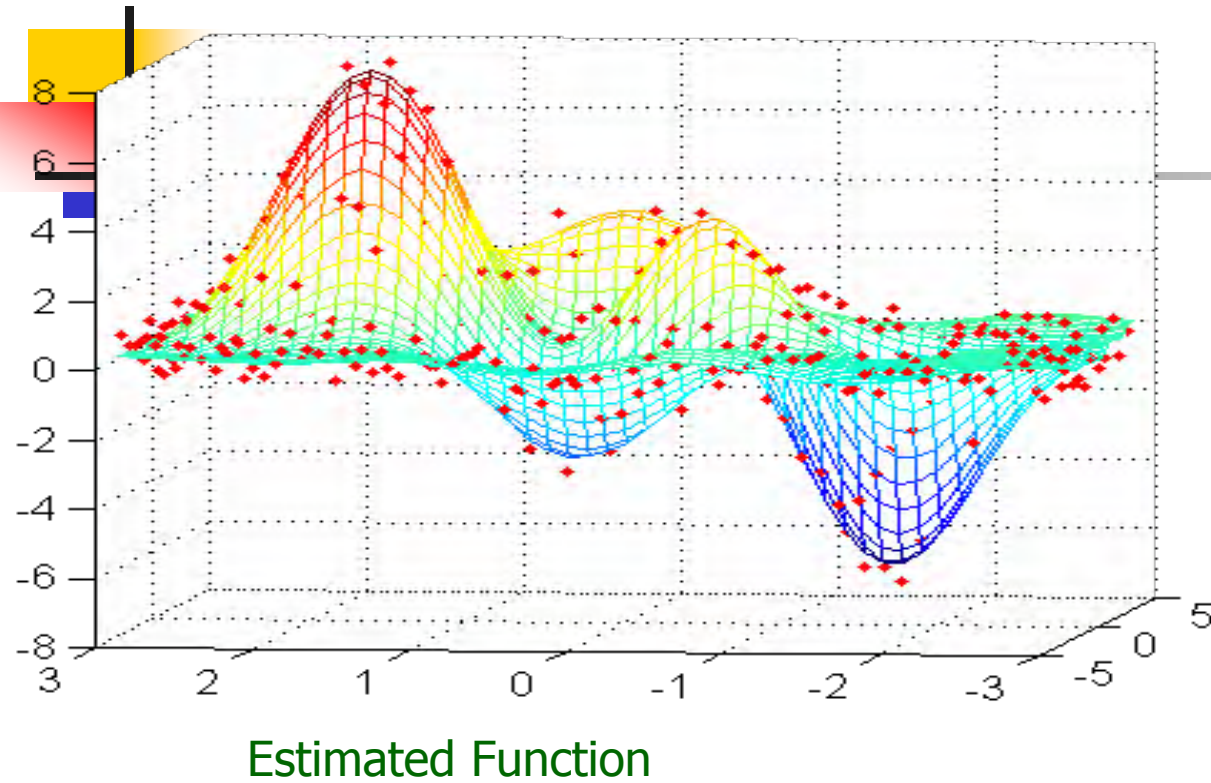
Parameter:

$$\nu = 50, \mu = 5, \varepsilon = 0.02$$

Training time : 0.3 sec.

481 Data Points in

$R^2 \times R$



Noise : mean=0 , $\sigma = 0.4$

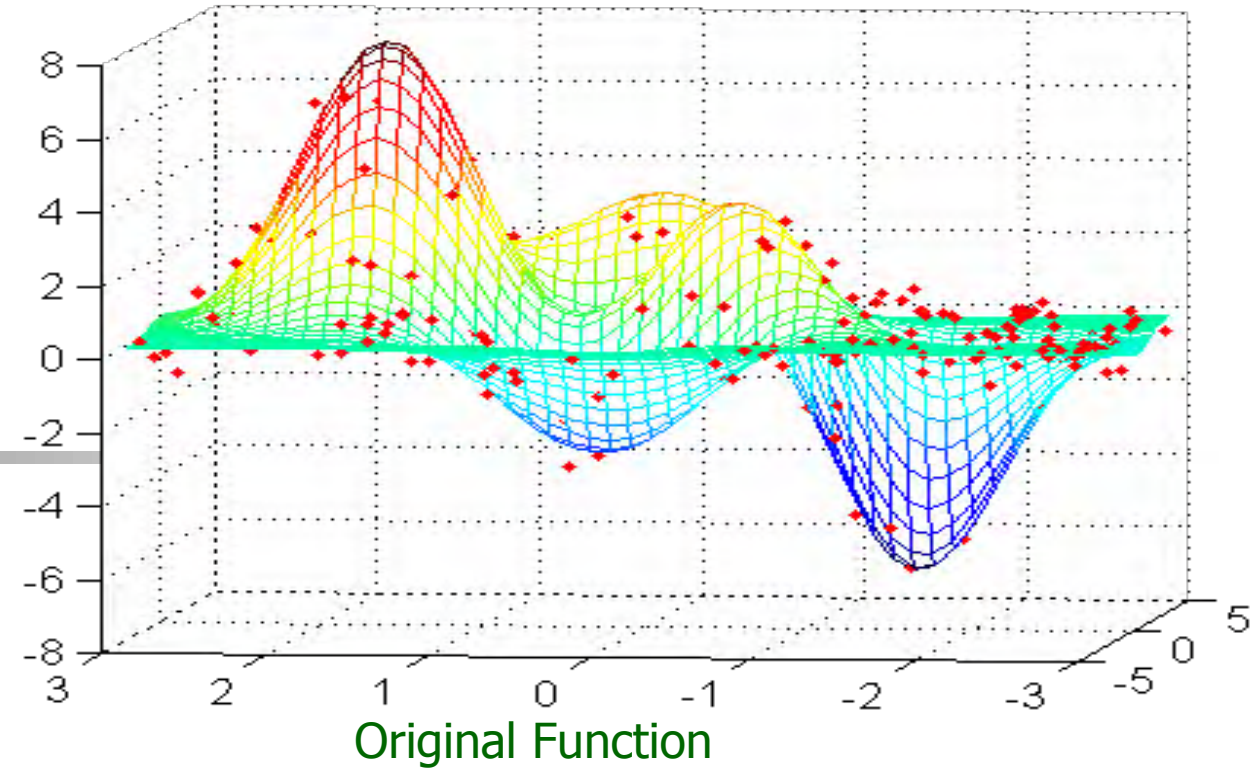
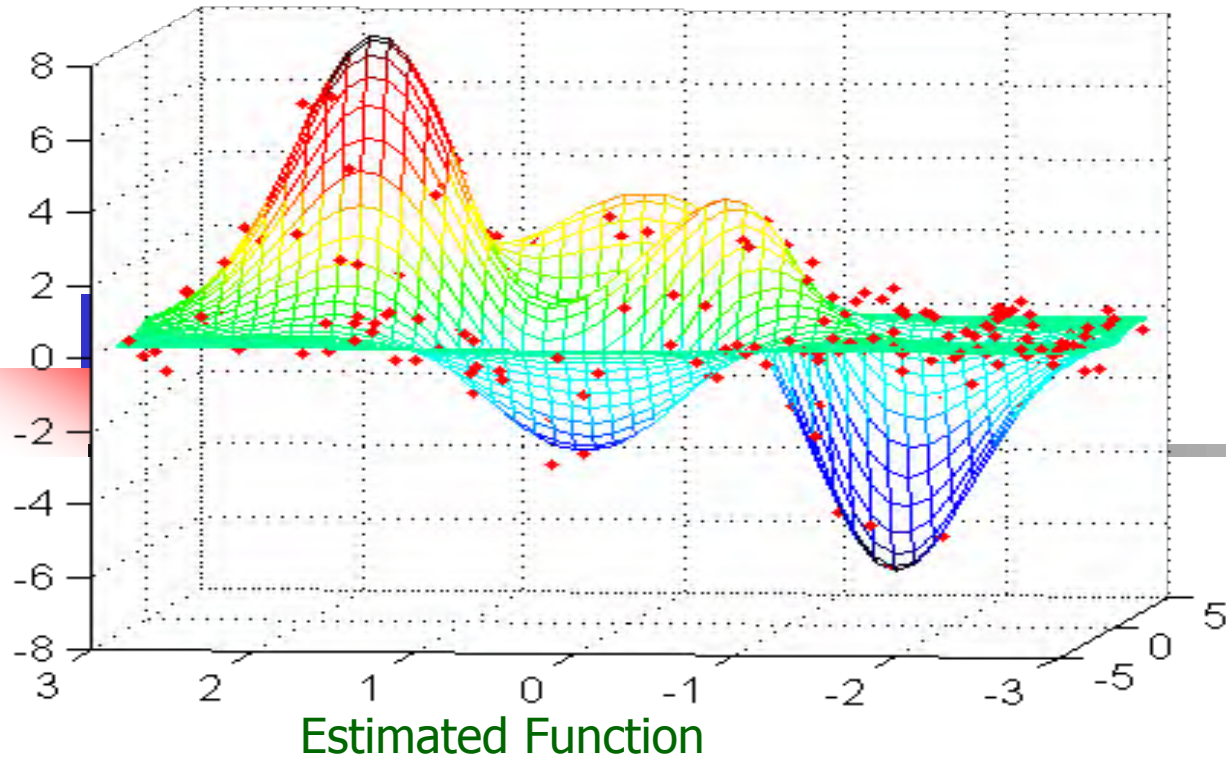
Parameter : $\nu = 50, \mu = 1, \varepsilon = 0.5$

Mean Absolute Error (MAE) of 49x49 mesh points : 0.1761

Training time : 9.61 sec.

Using Reduced Kernel:

$$K(A, \overline{A'}) \in R^{28900 \times 300}$$



Noise : mean=0 , $\sigma = 0.4$

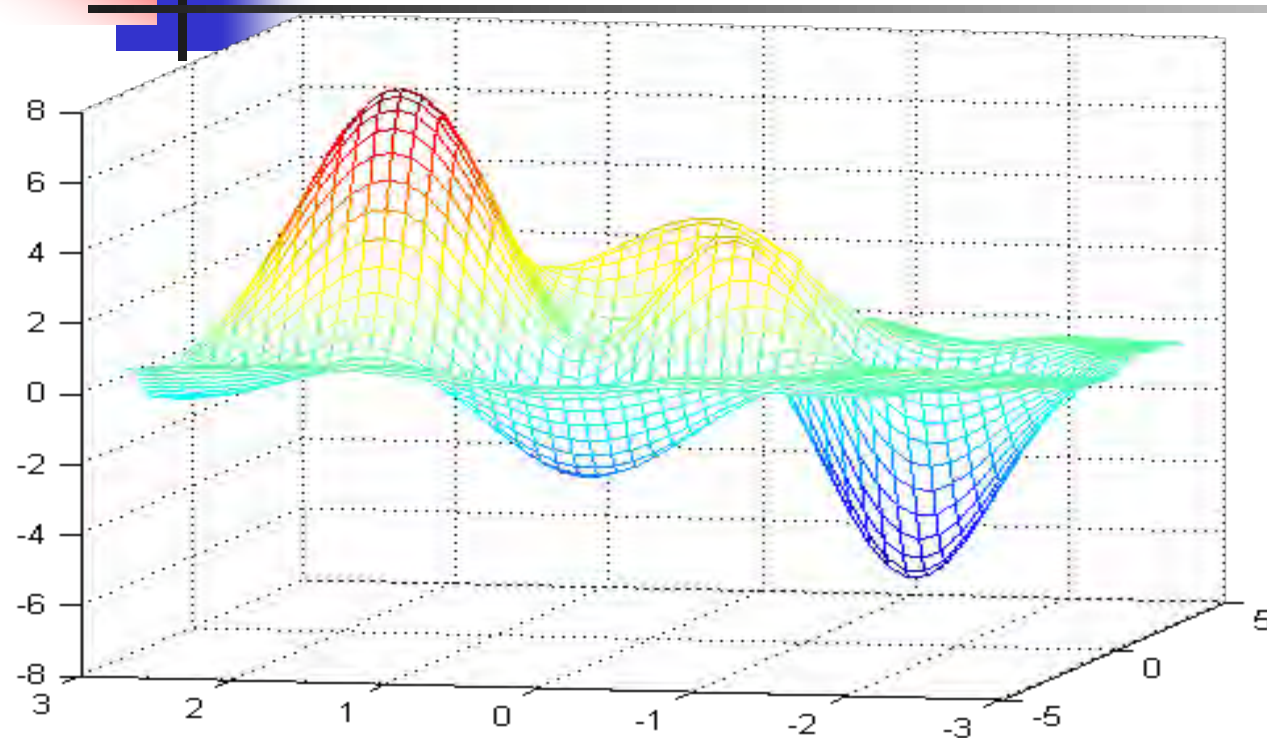
Parameter : $\nu = 50, \mu = 1, \varepsilon = 0.5$

MAE of 49x49 mesh points : 0.0513

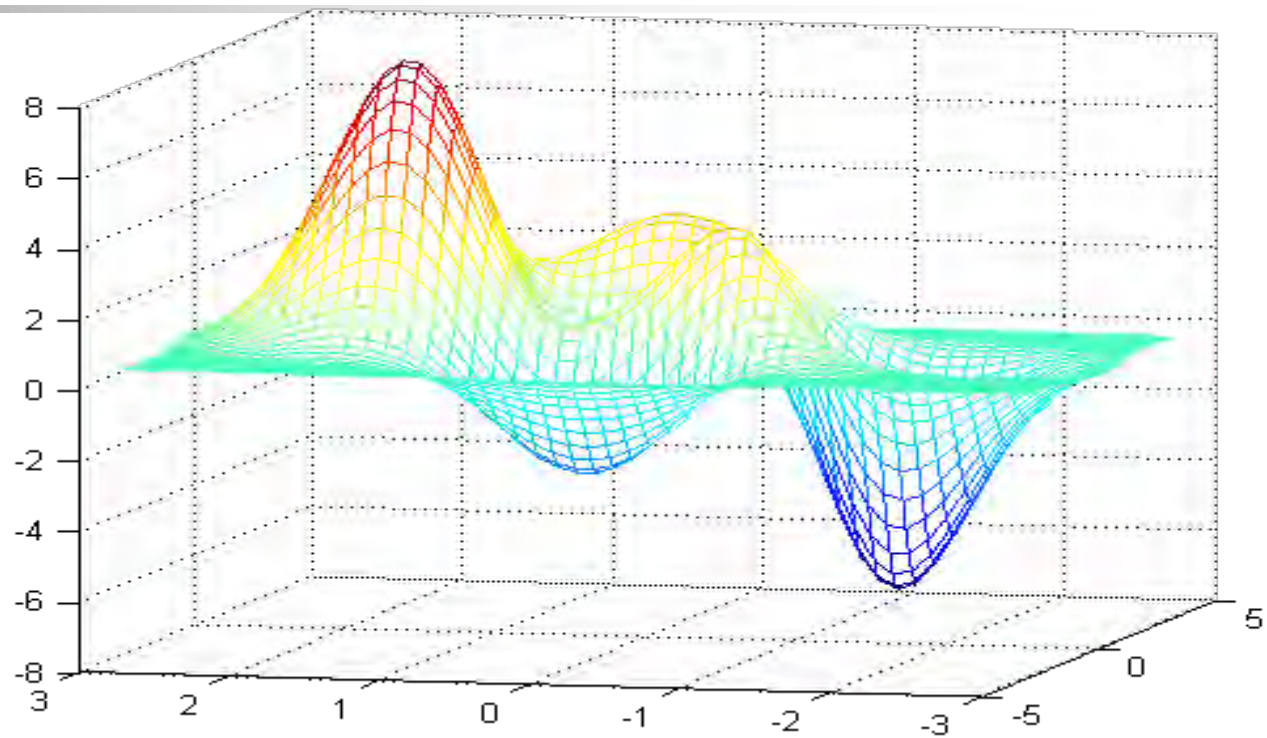
Training time : 108 sec.

Using SAME 300 Random Points Out of 28900

$$K(\bar{A}, \bar{A}') \in R^{300 \times 300}$$



Estimated Function



Original Function

Noise : mean=0 , $\sigma = 0.4$

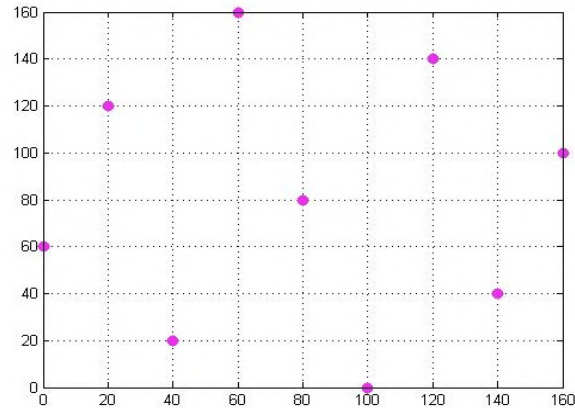
Parameter : $\nu = 50, \mu = 1, \varepsilon = 0.5$

MAE of 49x49 mesh points : 0.2529

Uniform Design

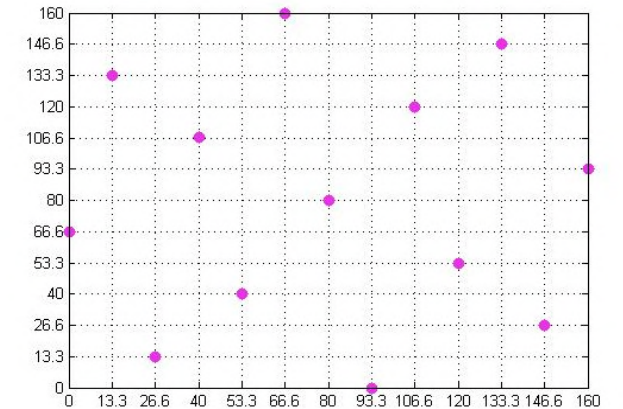
9-point UD Pattern

| | |
|---|---|
| 5 | 5 |
| 1 | 4 |
| 7 | 8 |
| 2 | 7 |
| 3 | 2 |
| 9 | 6 |
| 8 | 3 |
| 6 | 1 |
| 4 | 9 |



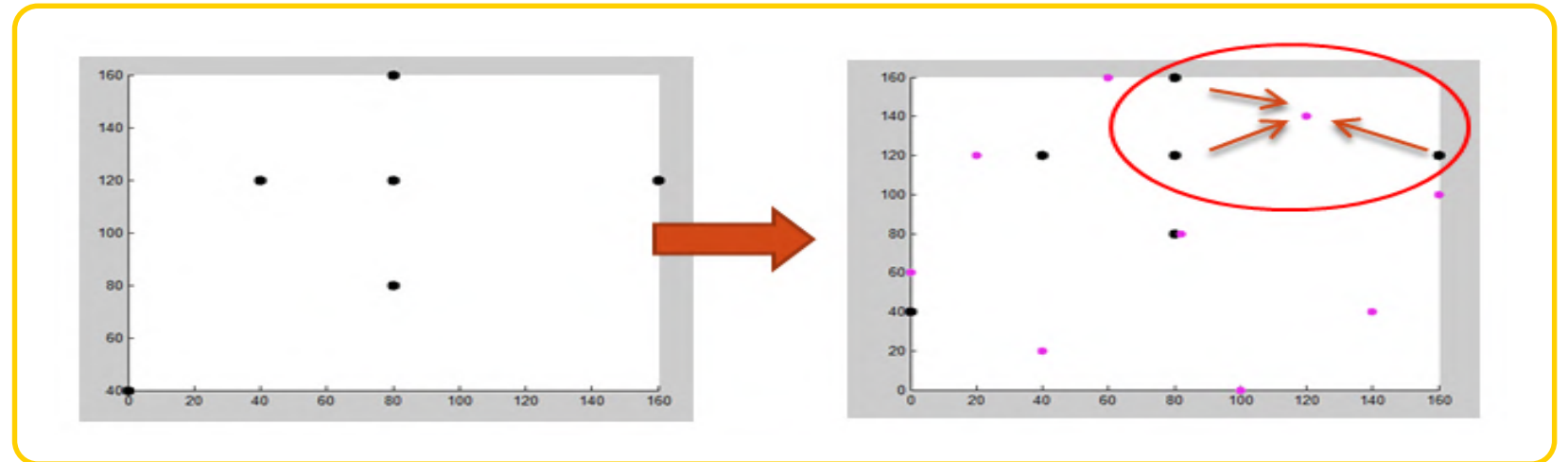
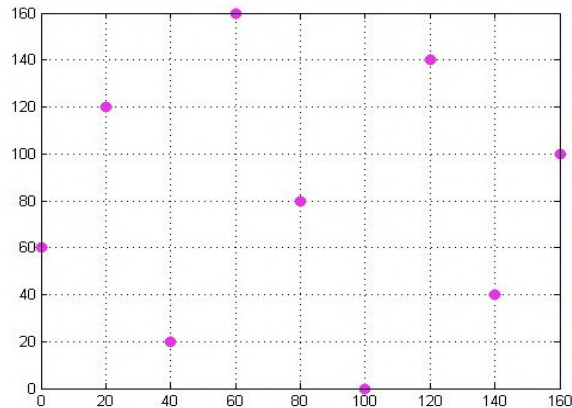
13-point UD Pattern

| | |
|----|----|
| 5 | 4 |
| 12 | 3 |
| 2 | 11 |
| 9 | 10 |
| 7 | 7 |
| 6 | 13 |
| 3 | 2 |
| 11 | 12 |
| 13 | 8 |
| 10 | 5 |
| 1 | 6 |
| 4 | 9 |
| 8 | 1 |

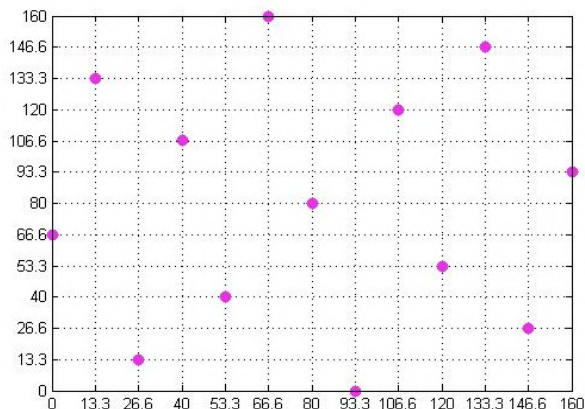


Synthesizing Sensor Readings via Uniform Design Sampling

9-point UD Pattern



13-point UD Pattern



- Use **interpolation methods** for estimating readings at **UD points**.
- Use different ϵ for real and synthetic readings.



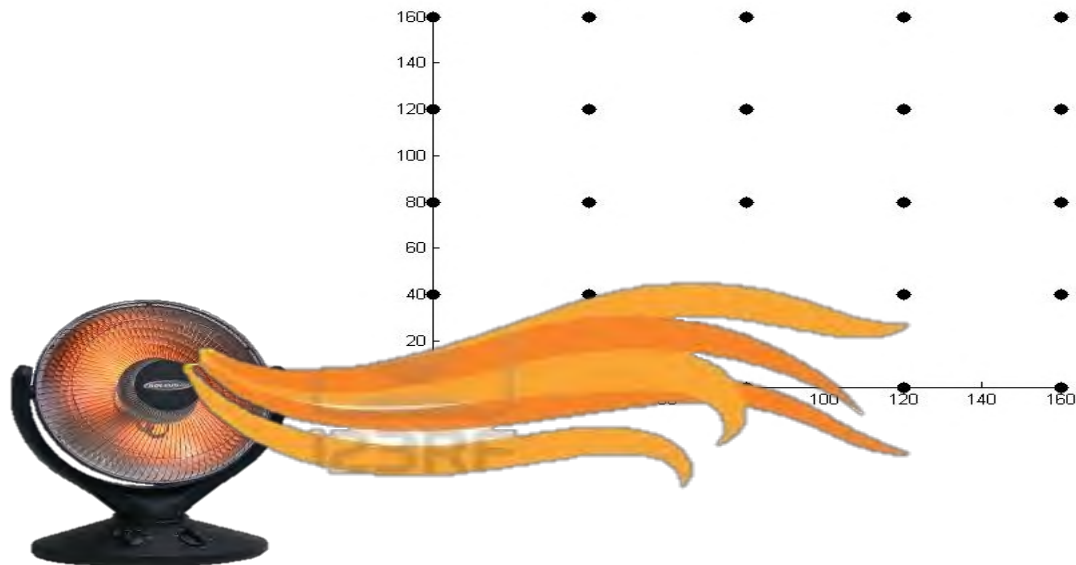


Global Regression: Combine Real Sensor Reading and Synthetic Estimations

- Apply the k-nearest neighbors information to interpolate the synthetic sensor values (linear regression, IDW or OK)
- Utilized nonlinear ε -SSVR to do global regression
 - Use different ε values in the ε -insensitive function
 - Synthetic sensor should use a bigger ε

Smart Agriculture demo

| NodeID | LocationX | LocationY | Temperature | Humidity | Time |
|--------|-----------|-----------|-------------|----------|----------|
| 1 | 0 | 0 | 27.4 | 60.2 | 00:38:27 |
| 2 | 40 | 40 | 23.7 | 62.4 | 00:38:27 |
| 3 | 80 | 40 | 23.5 | 62.7 | 00:38:27 |
| 4 | 0 | 120 | 23.7 | 62.5 | 00:38:27 |



Number of data points: 25

Map(Environment) Range:[160x160cm]

Time Stamp: 20 round

Time Interval: 1 minute

Scenario: Simulate anomalous temperatures

Auto-Regressive and Moving Average Model

- Store past T time-stamped temperature data (Assume $T = 3$)

| NodeID | LocationX | LocationY | Temperature | Time |
|--------|-----------|-----------|-------------|----------|
| 1 | 0 | 0 | 27.4 | 00:38:27 |
| 1 | 0 | 0 | 27.9 | 00:39:27 |
| 1 | 0 | 0 | 30.1 | 00:40:27 |
| 1 | 0 | 0 | 31.4 | 00:41:27 |



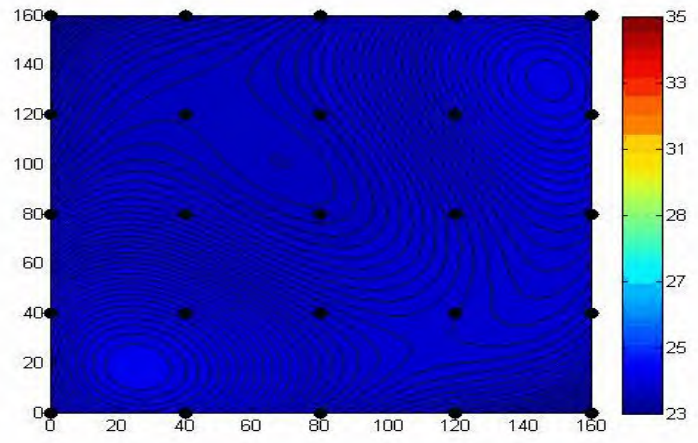
The current time

| New Features | |
|--------------|------|
| Feature1 | 0 |
| Feature2 | 0 |
| Feature3 | 30.1 |
| Feature4 | 27.9 |
| Feature5 | 27.4 |

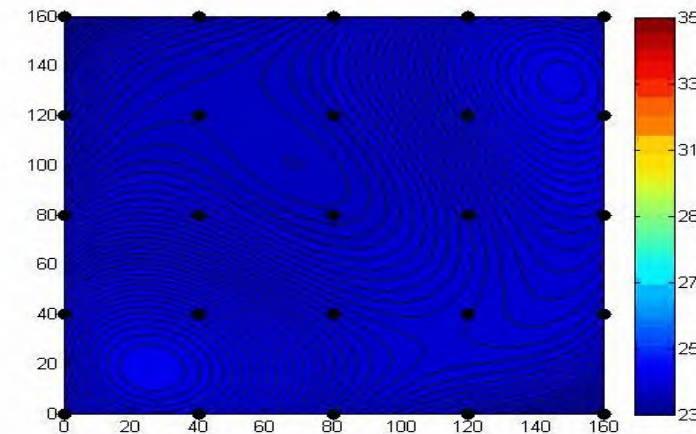
- Use stored temperature readings as new additional features

Visualization: Interpolation under uniformly distributed sensors

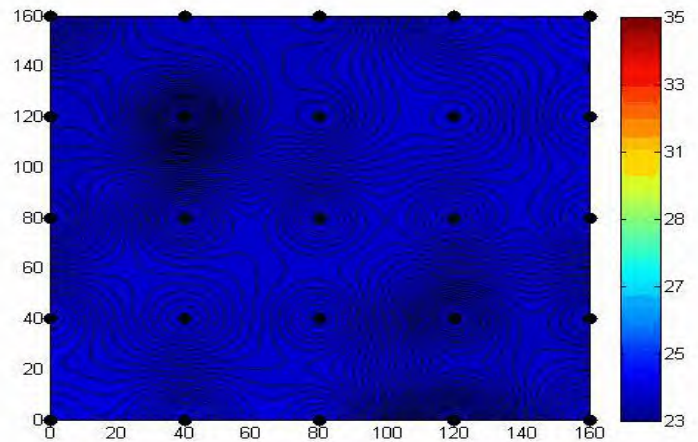
ϵ -SSVR



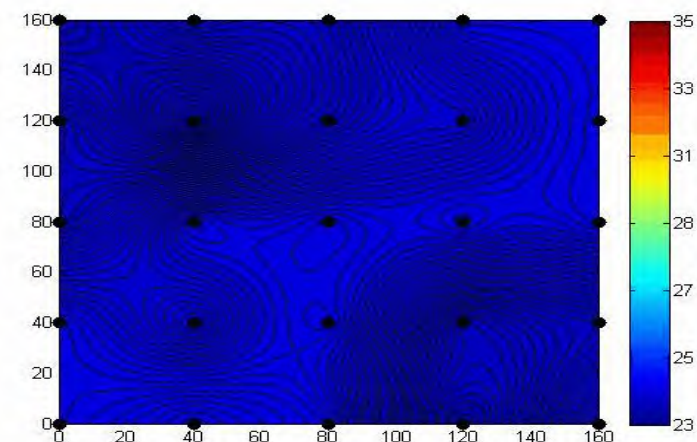
ϵ -SSVR(Spatial + Temporal(T=5))



IDW



Ordinary Kriging

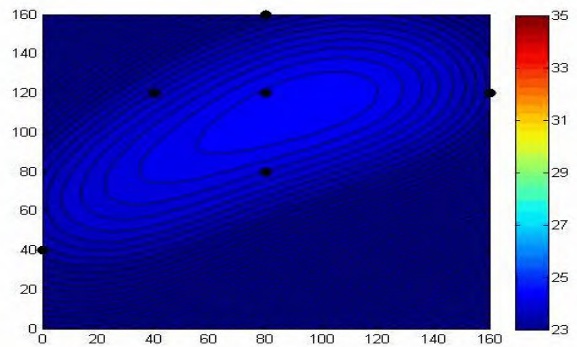


Sparse Coverage Experiment

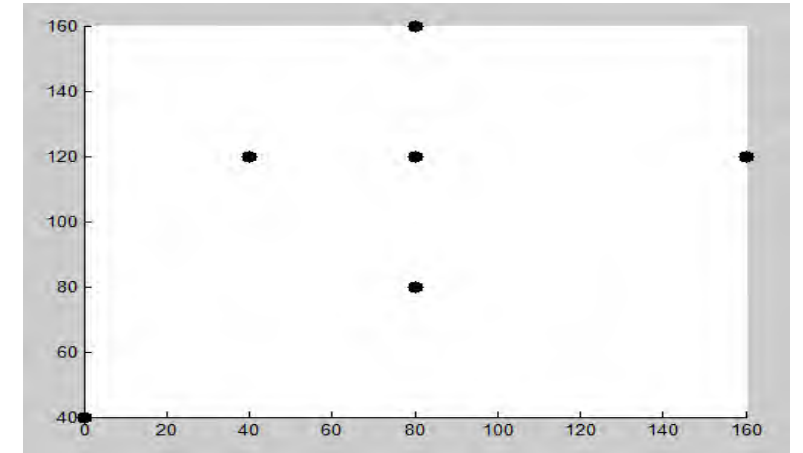
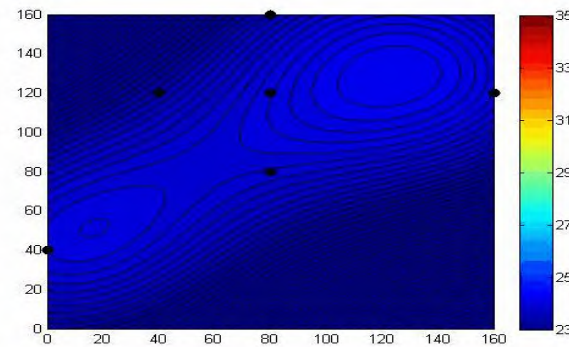
We randomly remove **19** nodes to be a validation set



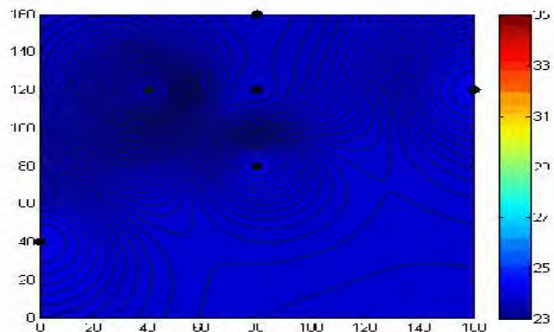
SSVR



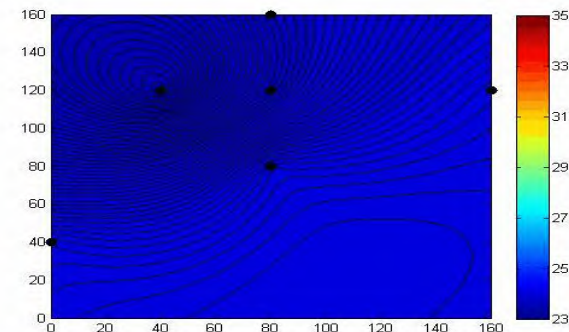
SSVR(Spatial + Temporal)



IDW



Ordinary Kriging

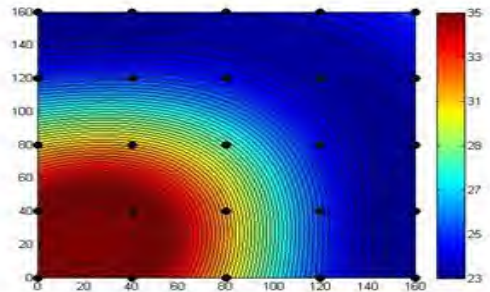




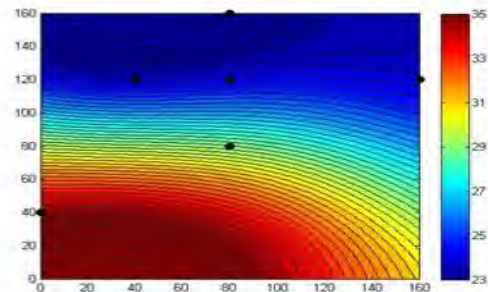
Results

| | MAE | RMSE | CPU sec. |
|---------------------------|------------|-------------|-----------------|
| ϵ -SSVR | 1.9359 | 2.3923 | 0.0926 |
| ϵ -SSVR(S+T) | 1.9336 | 2.3894 | 0.4399 |
| ϵ -SSVR+OK | 1.5632 | 1.983 | 0.1902 |
| ϵ -SSVR(S+T)+OK | 1.5577 | 1.9791 | 0.5429 |
| ϵ -SSVR+IDW | 1.5613 | 1.9902 | 0.1424 |
| ϵ -SSVR(S+T)+IDW | 1.5575 | 1.9861 | 0.441 |
| OK | 1.6656 | 2.0998 | 57.8343 |
| IDW | 1.8652 | 2.3135 | 0.0126 |

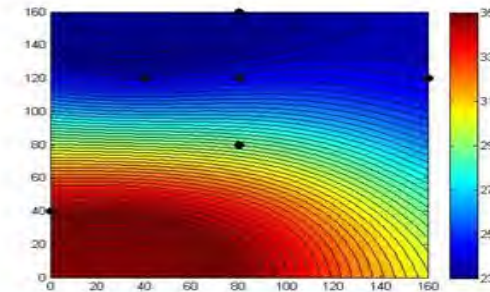
Visualization of Sparse Coverage Experiment



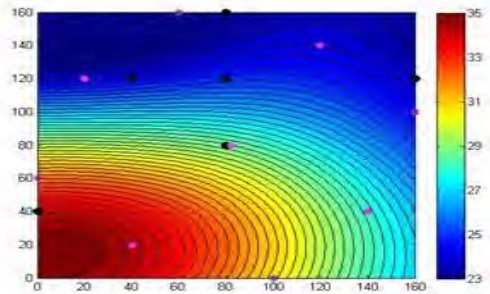
Ground truth



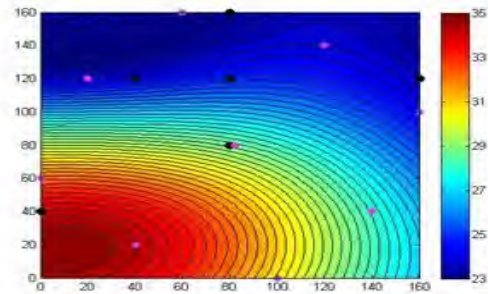
SSVR



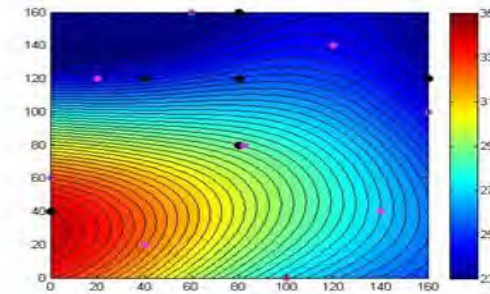
SSVR(S+T)



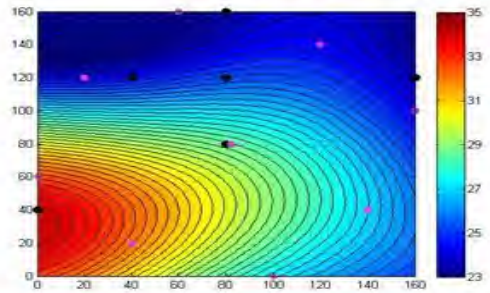
SSVR+OK



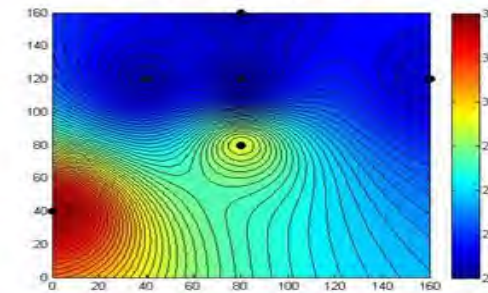
SSVR+OK(S+T)



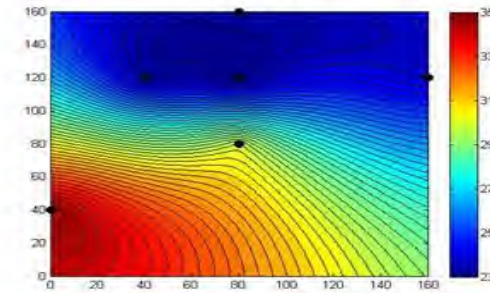
SSVR+IWD



SSVR+IWD(S+T)



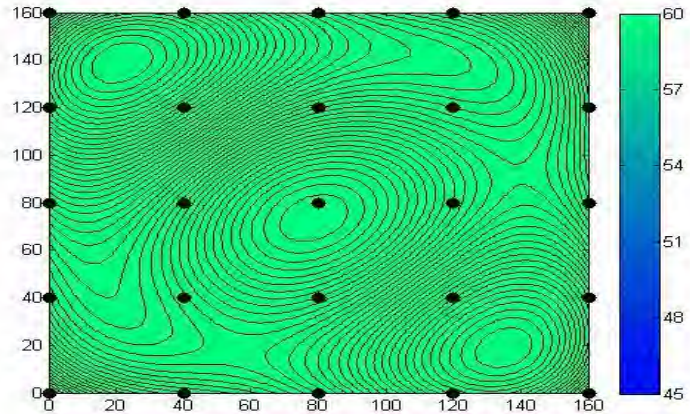
IWD



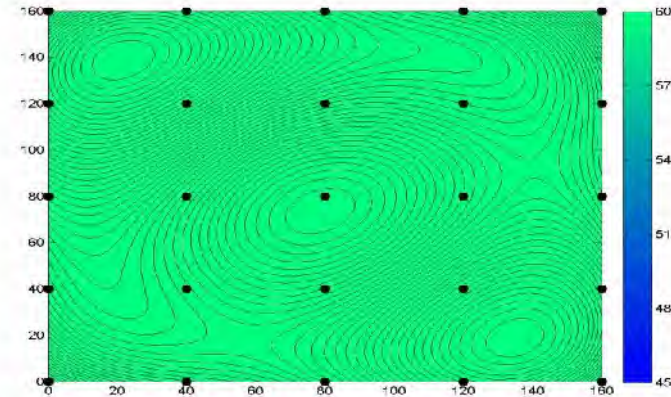
OK

Visualization (humidity)

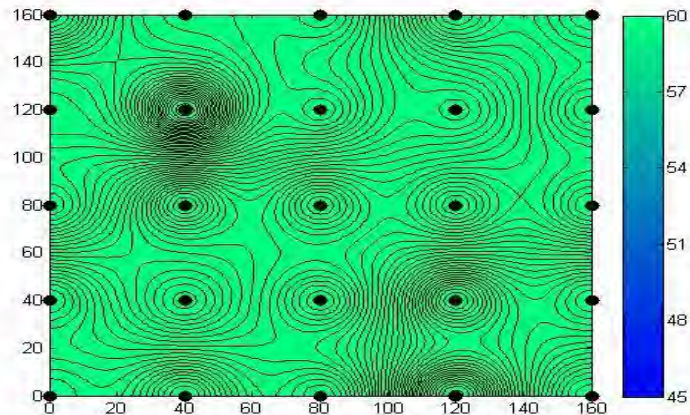
ϵ -SSVR



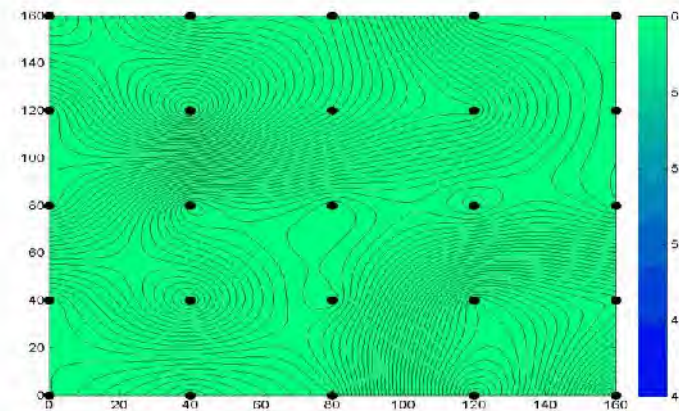
SSVR(Spatial + Temporal(T=5))



IWD



Ordinary Kriging



Definition of Anomaly (1/3)

- One possible definition of anomaly
 - An outlier is an observation that deviates so much from other observations as to arouse suspicion that it was generated by a different mechanism (by Hawkins).
- Michael Jordan is an outlier because of a well-known quotation by Charles Barkley: “I am the best basketball player in the earth, Jordan? He is an alien”.



Definition of Anomaly (2/3)

- Our proposed definition of Anomaly
 - An outlier is an observation that enormously affects model when we add or remove it from the entire dataset.
- Wilt Chamberlain is an outlier on account of his responsibility for several rule changes in basketball.
- In order to diminish his dominance, the basketball authorities set some rules including widening the lane, as well as changes to rules regarding inbounding the ball and shooting free throws.



Definition of Anomaly (3/3)

- Conventional anomaly detection approach:
 - Distance-based
 - Density-based
- Based on our definition, we can have
 - The perturbation of the principal component *with or without* an individual instance. E.g., online oversampling PCA
 - The data compression rate of *with or without* a certain portion of data. E.g., Kolmogorov complexity
- All computation has to be done very quickly
- Have to be able to evaluate the change of this *with or without* effect

Finding a Needle in a Haystack

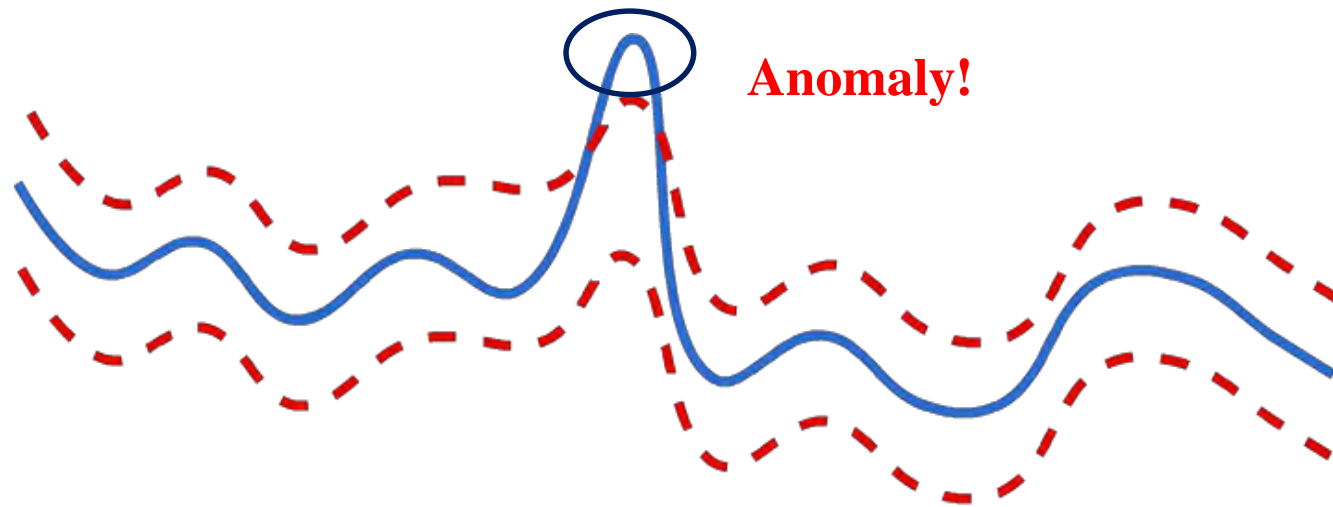
- Anomalous behaviors are rare events
- However, when they do occur, their consequences can be quite dramatic and quite often in a negative sense
- We aim to develop an unsupervised online anomaly detection mechanism
 - Can deal with stream data
 - A self-learning front-end model
 - Online learning
 - An accurate backend model
 - Cooperation between above models



**“Mining needle in a haystack.
So much hay and so little time”**

Front-end detection via Dynamic Range Checking (Single Sensor)

- Data read at close intervals are expected to have similar distributions
- Aggregate past data by storing **mean** and **standard deviation**
- Online update values as new readings arrive.

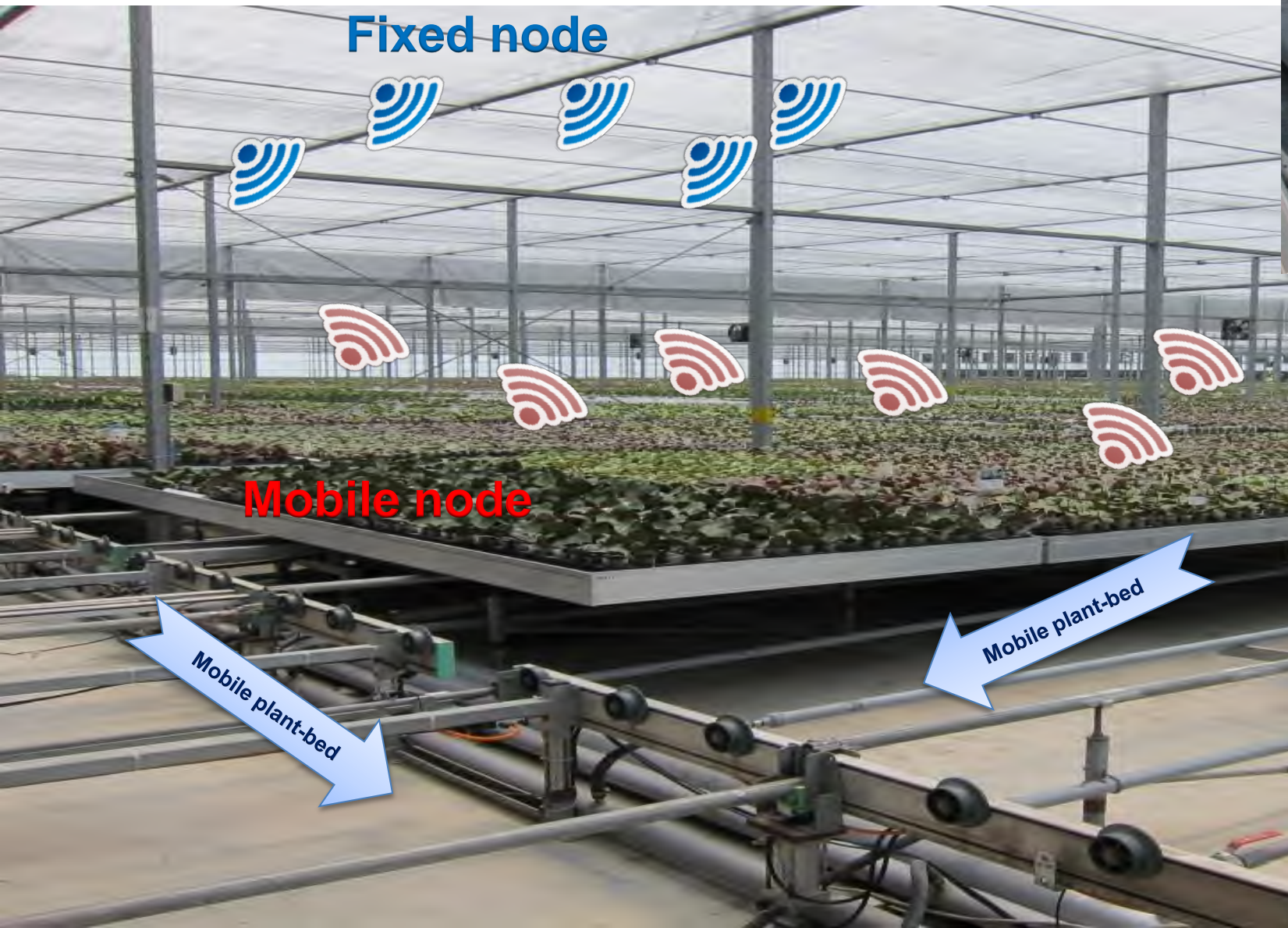


Anomaly occurs outside the range

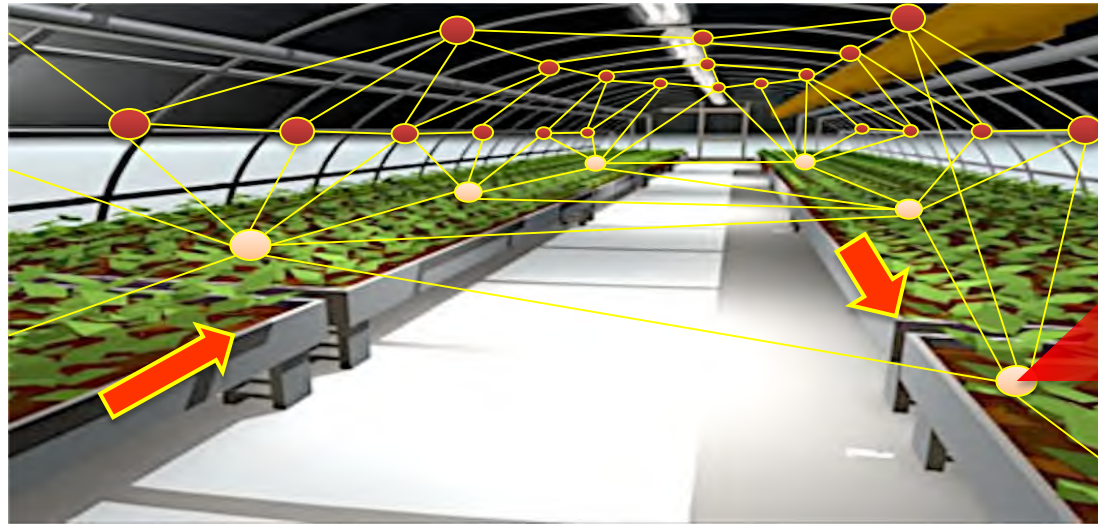
Events Detection in Greenhouse



Green House



Project overview



M2M Networking (Fixed+ Mobile Nodes)



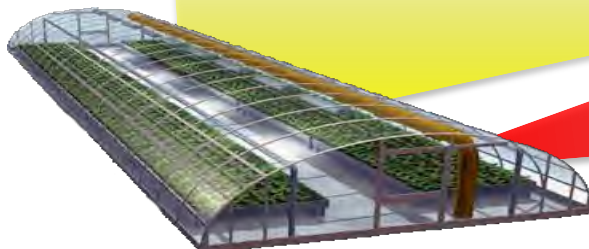
52 Fixed Nodes



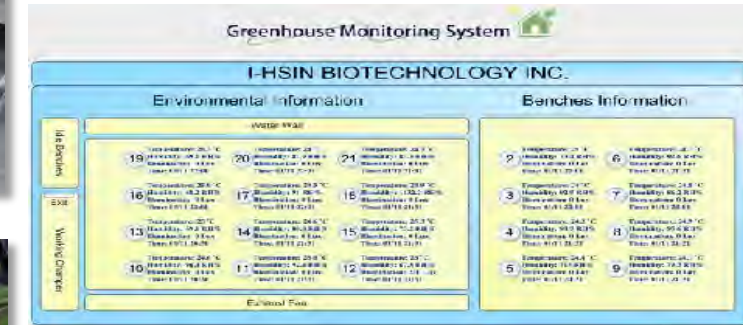
68 Mobile Nodes



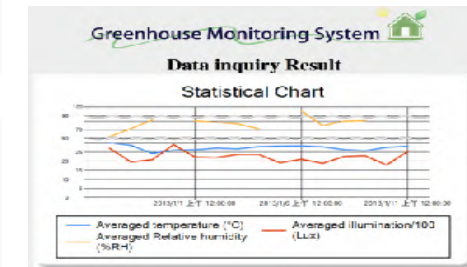
Gateway



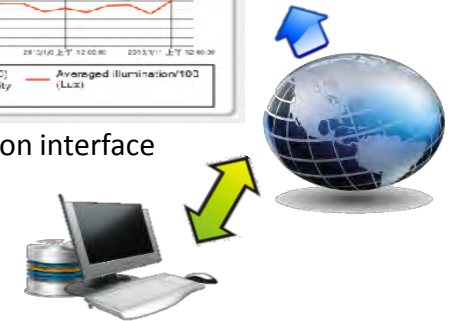
Automatic Greenhouse



Real-time data inquiry interface



Visualization interface

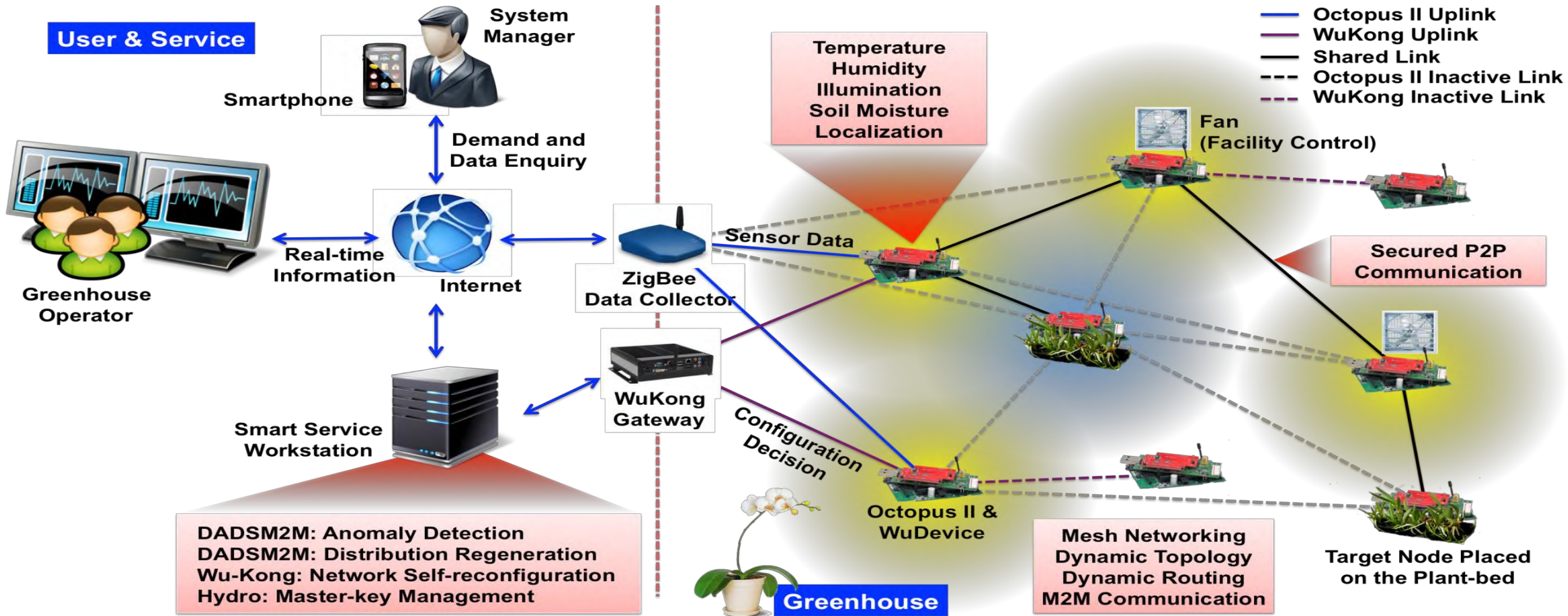


Objectives

- Scalability (unlimited number of sensor nodes in a single PAN)
- Robustness (dynamic topology, routing and localization)
- Heterogeneous (ZigBee + WiFi + different devices)
- Smart services (lighting, irrigation and inspection)

System Architecture

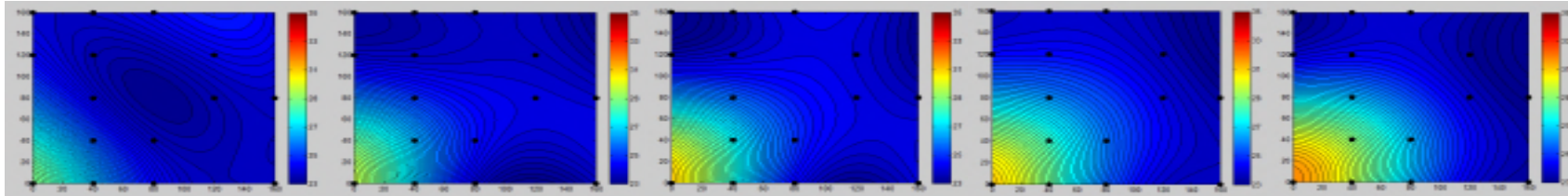
(Projects in NTU CCC Center, 2012-2015)



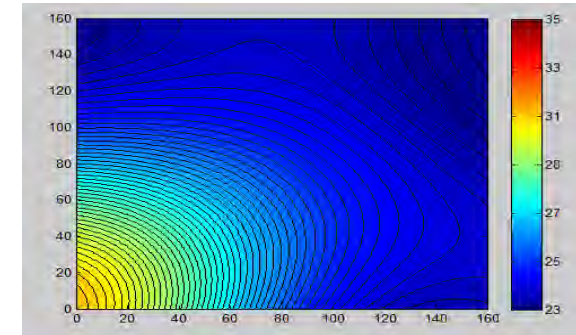
Back-end Detection via Continuous Monitoring

We keep past T readings map and take the average

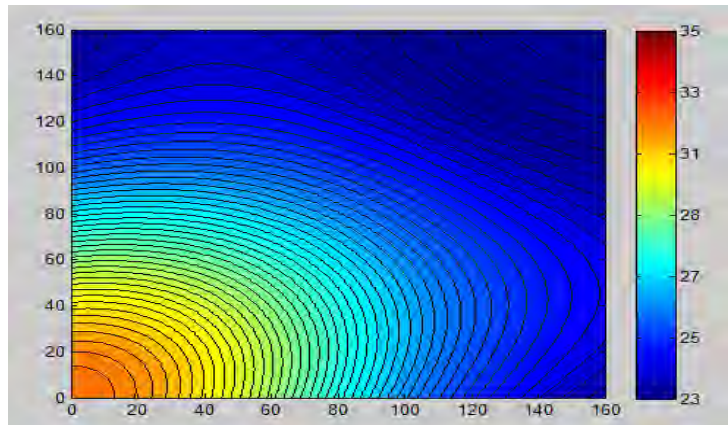
If $T = 5$



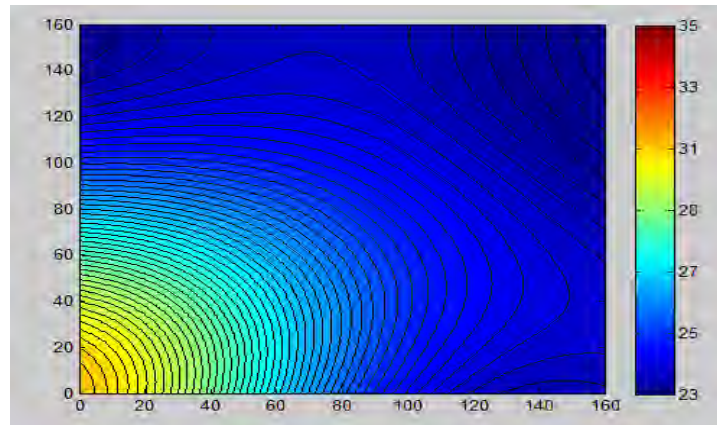
mean



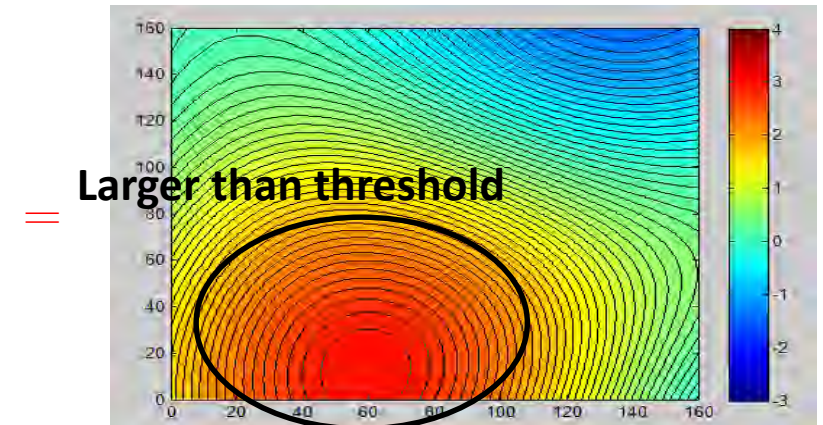
New map



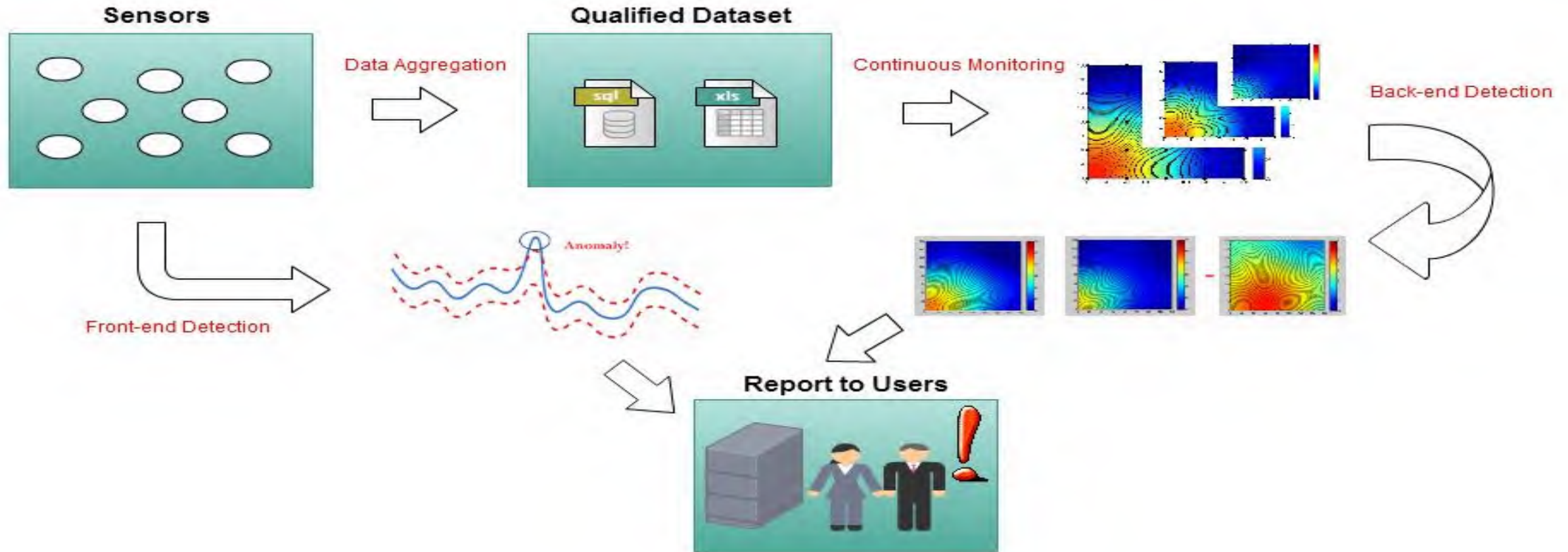
T readings average



Difference



Proposed Anomaly Detection Architecture



Questions?
Answers:



Thank You!

I love Jori