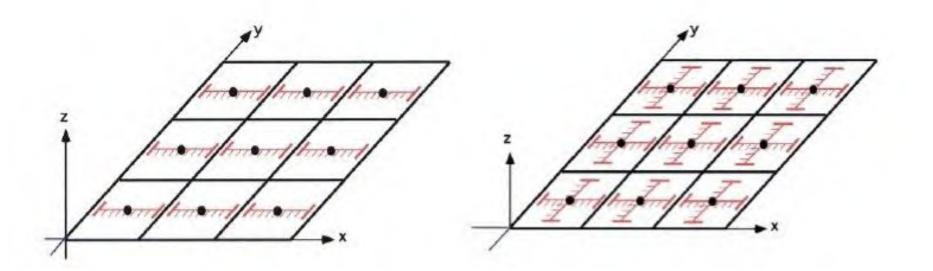
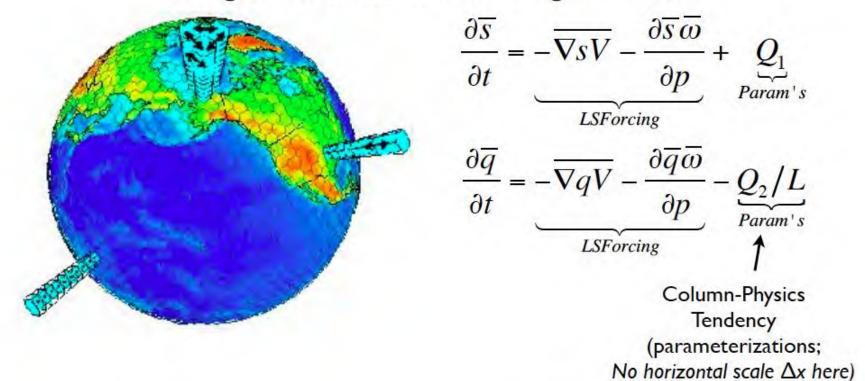
Day 4: Current Issues and Outlook,

1. superparameterization



Super-parameterization roots from Single-Column Modeling (SCM)

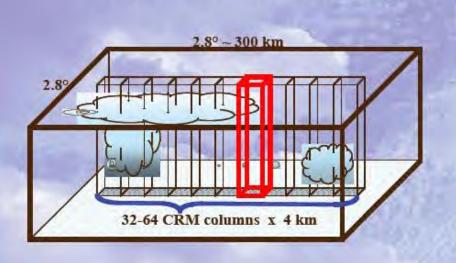


The large-scale forcing data would come from observations (GATE, TOGA, ARM, KWAJEX, etc.)

All super-parameterization does is compute Q1 and Q2

Credit: Marat Khairoudtinov

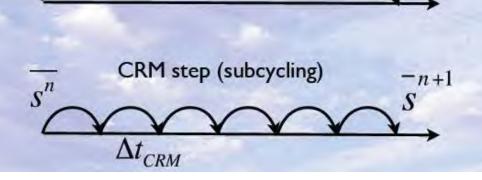
Super-parametrization (SP) Multiscale-Modeling Framework (MMF=GCM+SP)



$$\frac{\partial \overline{S}}{\partial t} = -\overline{\nabla SV} - \frac{\partial \overline{S}\overline{\omega}}{\partial p} + Q_1$$

$$\downarrow \qquad \qquad \downarrow \qquad \qquad \qquad \downarrow \qquad \qquad \qquad \downarrow \qquad \qquad \qquad \downarrow \qquad \qquad \downarrow \qquad \qquad \downarrow \qquad \qquad \downarrow \qquad$$





CRM Forcing:

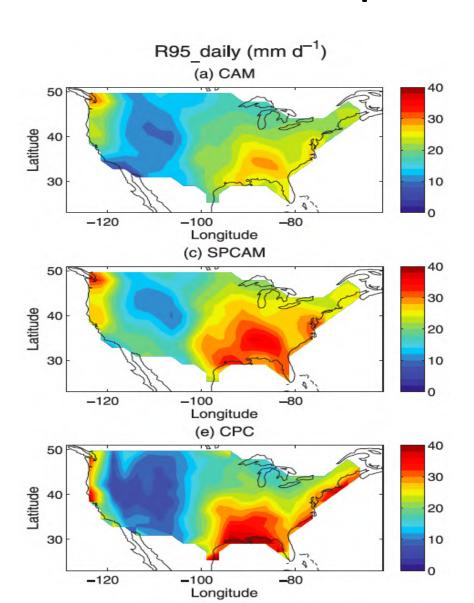
$$-\overline{\nabla sV} - \frac{\partial \overline{s}\overline{\omega}}{dp} = \frac{\overline{s^*} - \overline{s^n}}{\Delta t}$$

CRM Tendency:

$$Q_1 = \frac{\overline{s}^{n+1} - \overline{s}^*}{\Delta t}$$

Credit: Marat Khairoudtinov

Extreme Precipitation



2. Updraft vertical velocity

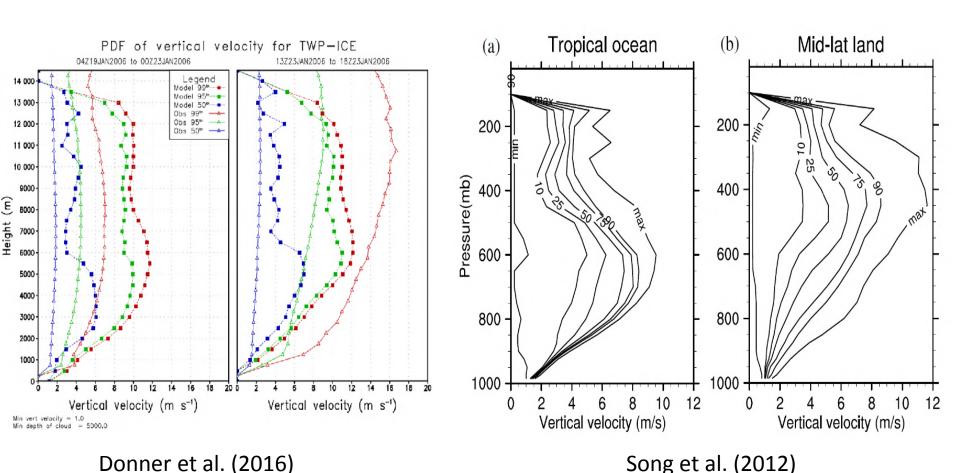
Why vertical velocity is needed?

mass flux alone is not enough to characterize convection

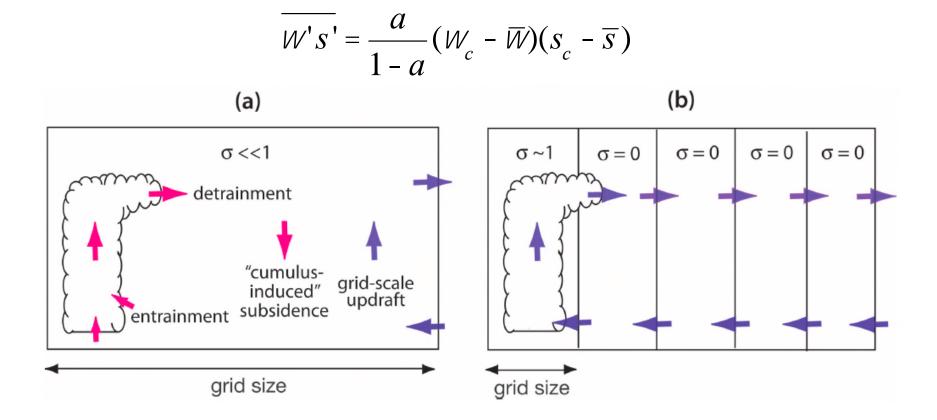
$$M_u = S \Gamma w$$

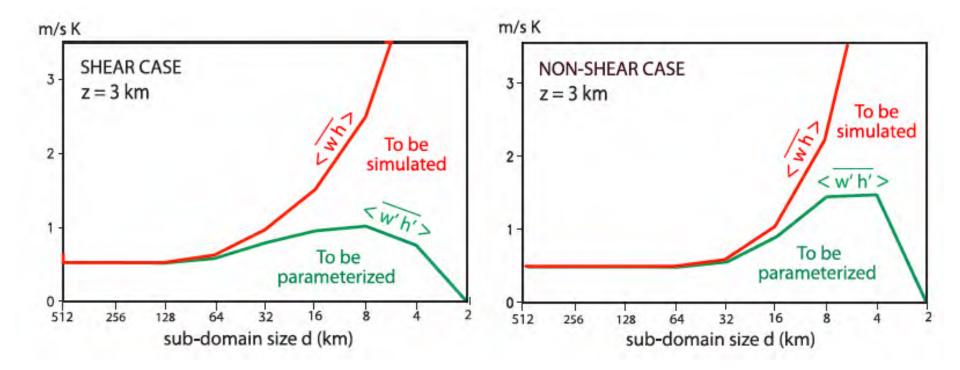
 microphysical processes depend nonlinearly on vertical velocity

Updraft vertical velocity

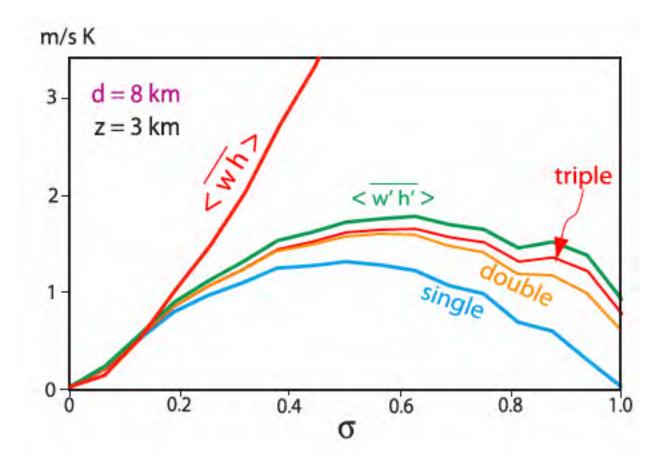


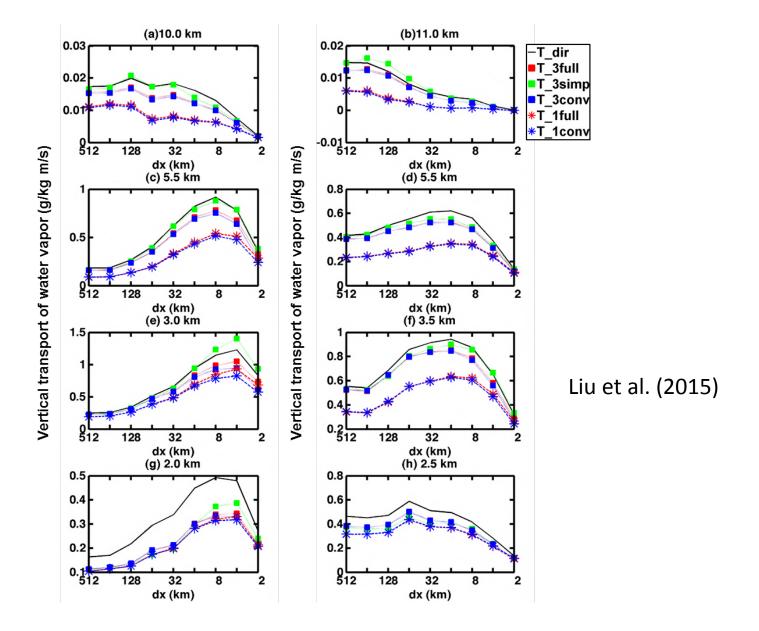
3. Scale-Awareness

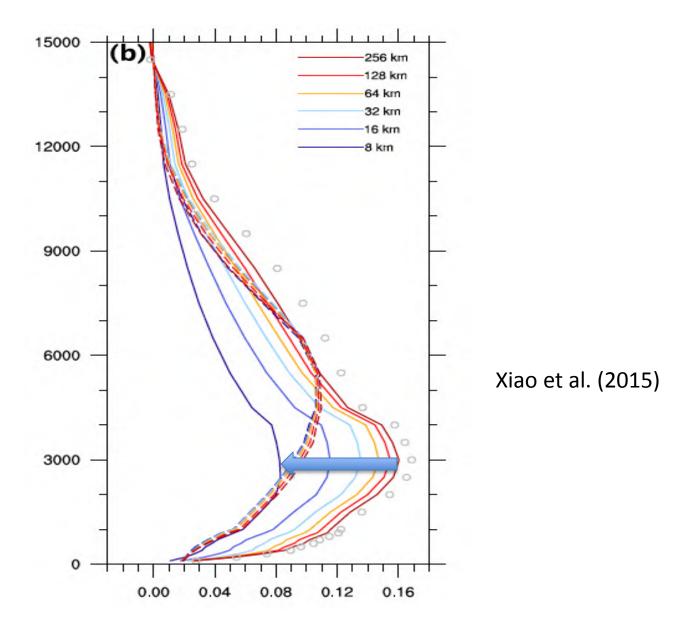




Arakawa and Wu (2013)

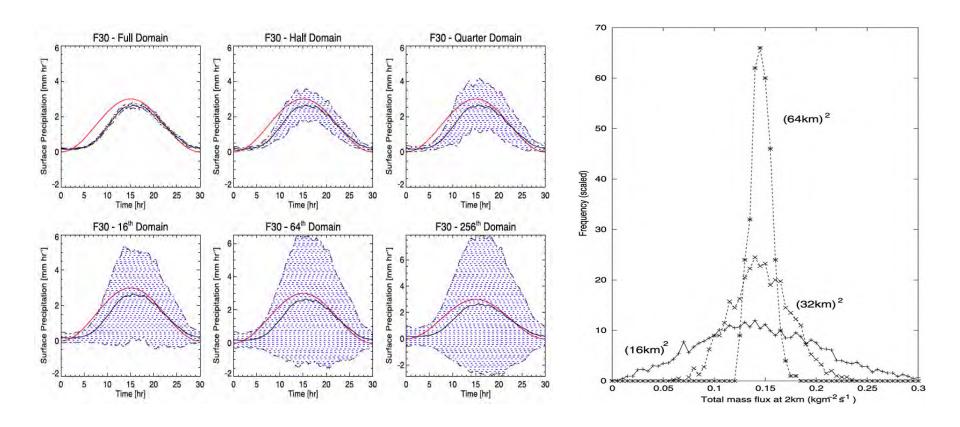






Convective transport of moist static energy

4. Stochastic convection Parameterization

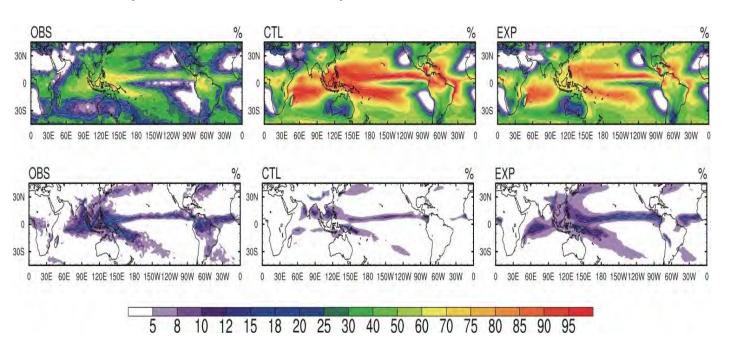


Jones and Randall (2011)

Plant and Craig (2008)

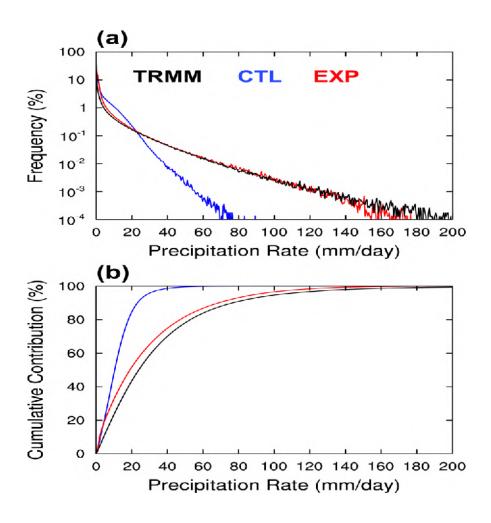
Effects of stochastic convection

Precipitation intensity variance



Wang et al. (2016)

Effects of stochastic convection

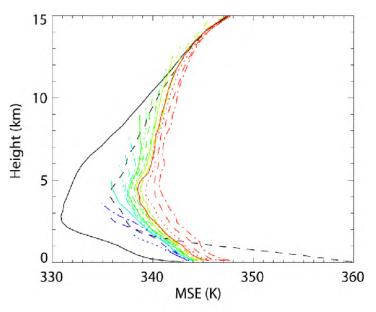


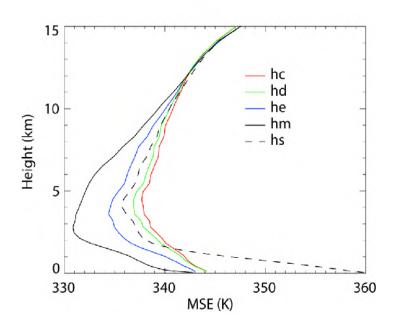
Wang et al. (2016)

5. Entrainment rate, an unresolved Issue

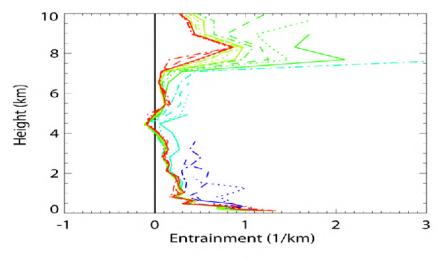
How much air is entrained into convective updrafts? How to parameterize it? What properties are entrained?

$$e_{sim} = \frac{-\P h_c / \P z + S \Gamma S_c / M_c}{h_c - h}$$

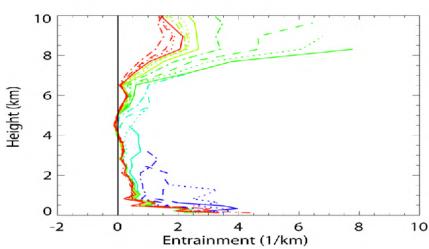




$$e = \frac{-rs\frac{\P h_c}{\P t} - \frac{\P M_c}{\P z}(h_c - h_d) - M_c\frac{\P h_c}{\P z} - \frac{\P rs(w'h')_c}{\P z} + rss_c}{M_c(h_d - h_e)}$$

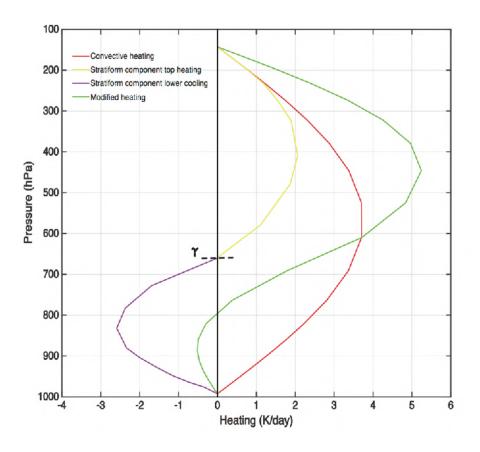


Zhang et al. (2015)

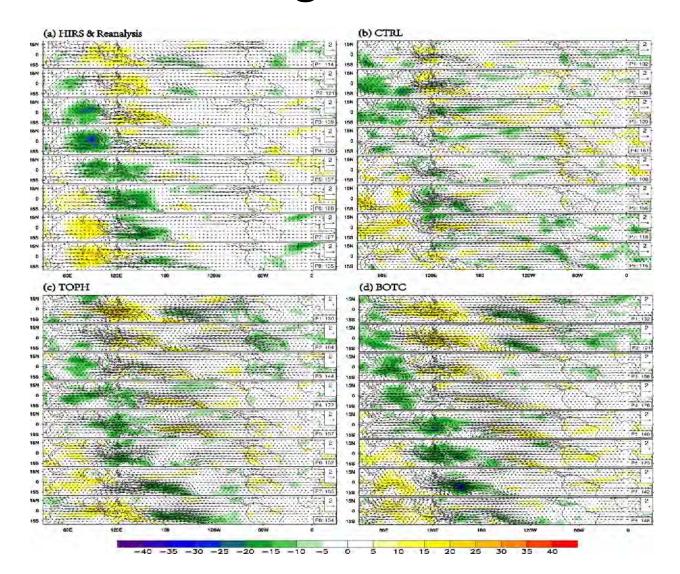


6. Convective Organization

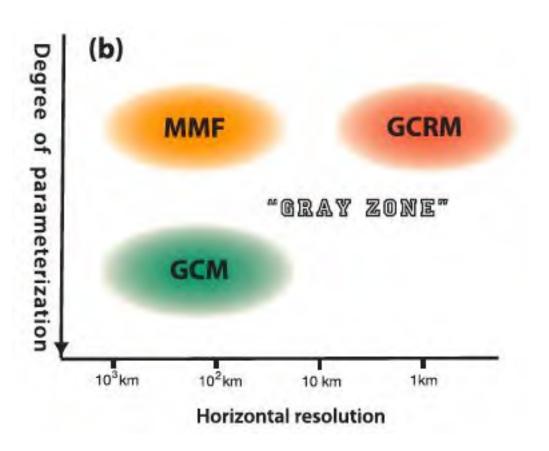
organized convection has very different characteristics than individual cells.



MJO simulation including mesoscale heating structure



Future: co-existence of 3 approaches

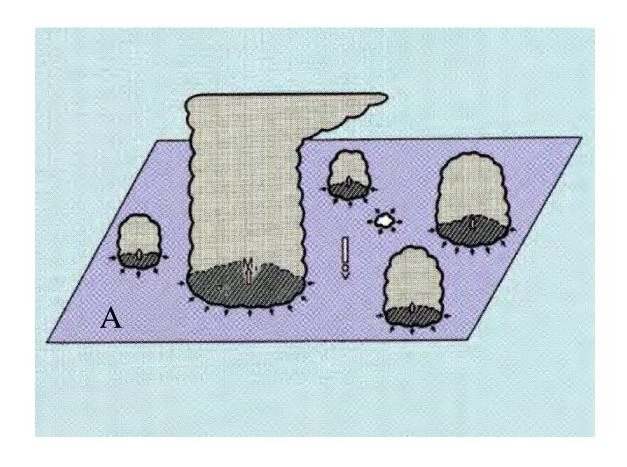


Effects of Convection in GCMs: An Example from the NCAR CCSM

Outline

- Introduction of convection parameterization
- NCAR CAM3 coupled to slab ocean model runs (to understand local ocean feedback)
- Fully coupled CCSM3 runs (to understand feedback from ocean heat transport)
- Examine the simulation, including precipitation, SST, salinity, and ocean currents in the tropical Pacific
- Identify mechanisms that can relate convection parameterization to these changes

This is what convection parameterization is about



$$CAPE = \int_{p_t}^{p_b} R_d (T_{vp} - T_{ve}) d \ln p$$

CAPE variation consists of two parts: contributions from the boundary layer (parcel's) changes and contributions from the free tropospheric (parcel's environment) changes:

$$\frac{dCAPE}{dt} = \frac{dCAPE_{parcel}}{dt} + \frac{dCAPE_{env}}{dt}$$

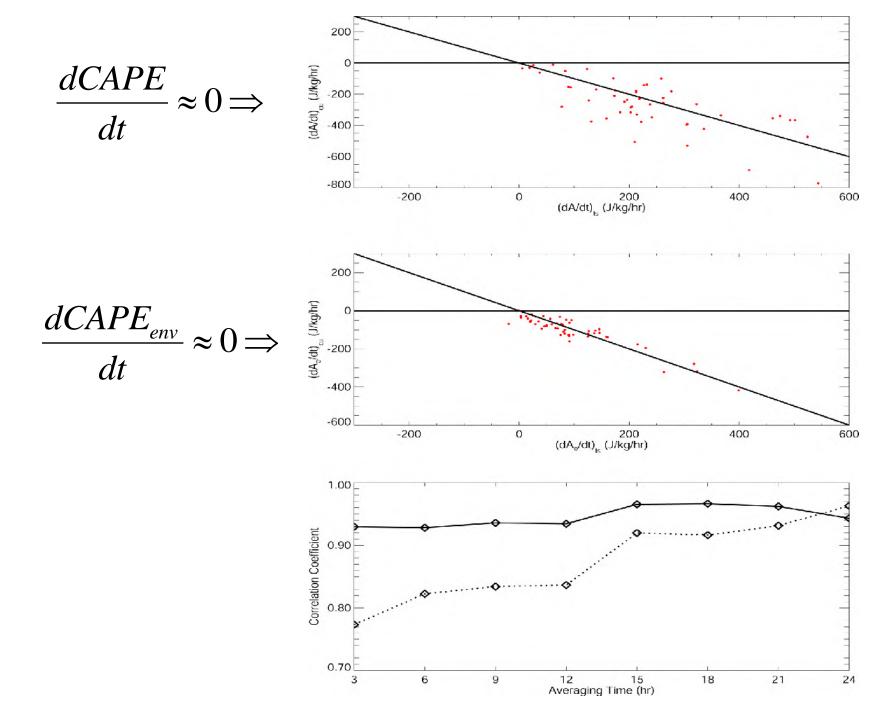
Traditional convective quasi-equilibrium closure:

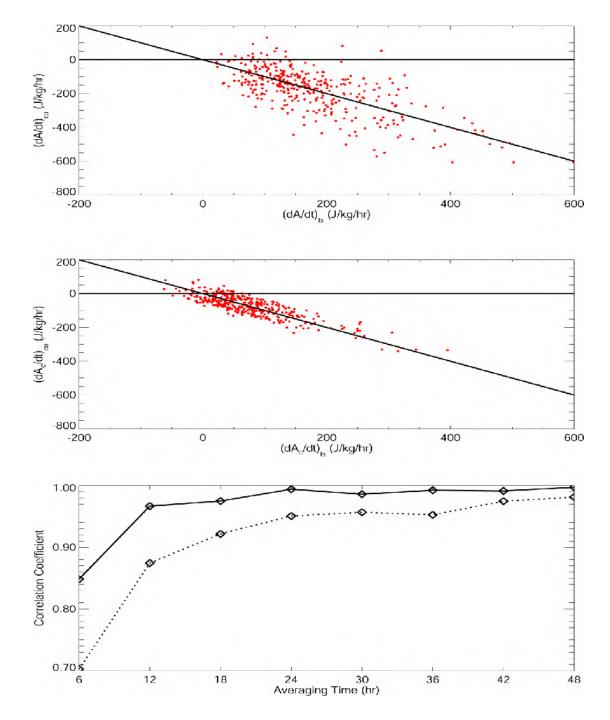
$$\frac{dCAPE}{dt} = \left(\frac{dCAPE}{dt}\right)_{cu} + \left(\frac{dCAPE}{dt}\right)_{ls} \approx 0$$

Free Tropospheric Quasi-equilibrium Closure:

Free tropospheric portion of the large-scale (non-convective) forcing is balanced by convection. The boundary layer portion of the large-scale forcing is stored in the atmosphere to maintain the net CAPE variation.

$$\frac{dCAPE_{env}}{dt} = \left(\frac{dCAPE_{env}}{dt}\right)_{cu} + \left(\frac{dCAPE_{env}}{dt}\right)_{ls} \approx 0$$

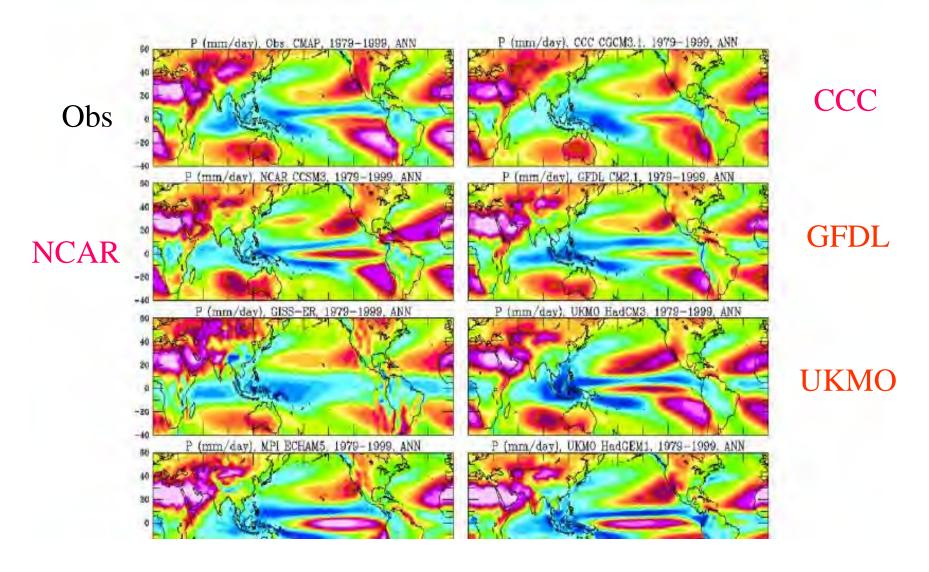


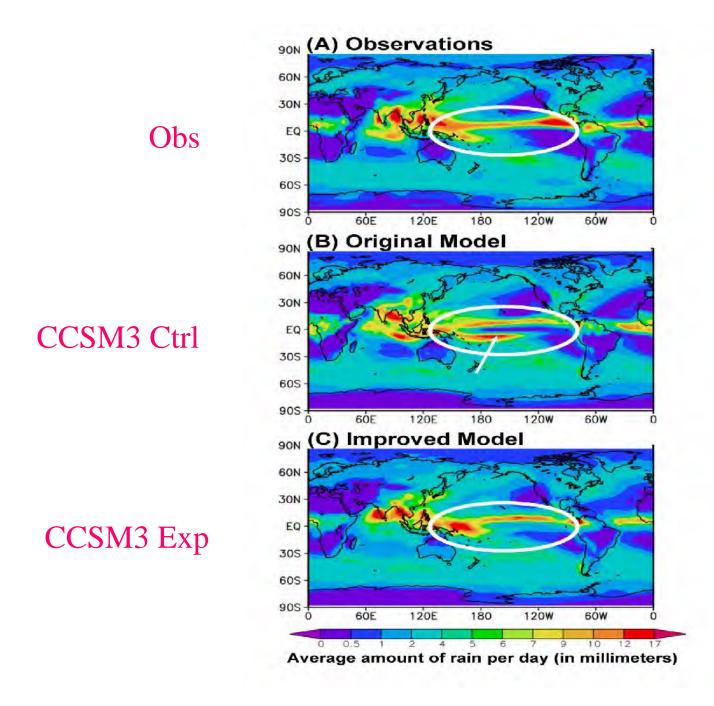


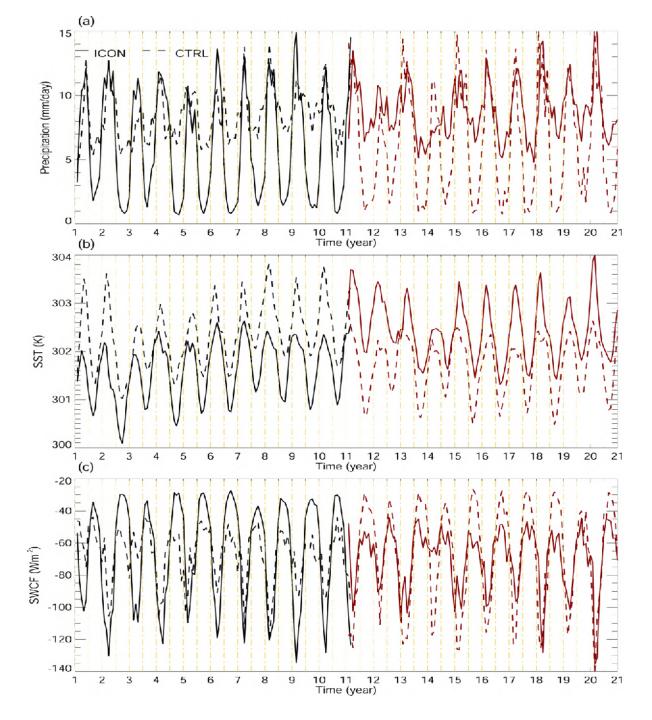
Numerical Simulations

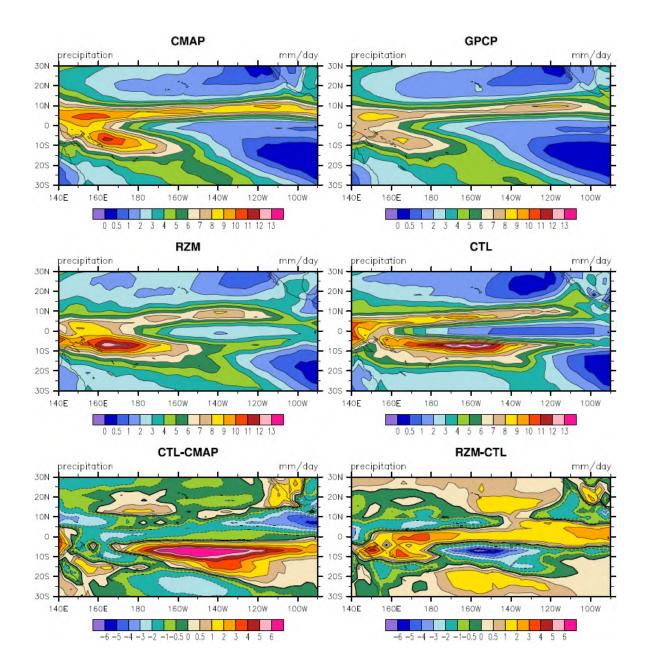
- CAM3 coupled to slab ocean model runs (to understand local ocean feedback)
- Fully coupled CCSM3 runs (to understand feedback from ocean heat transport)

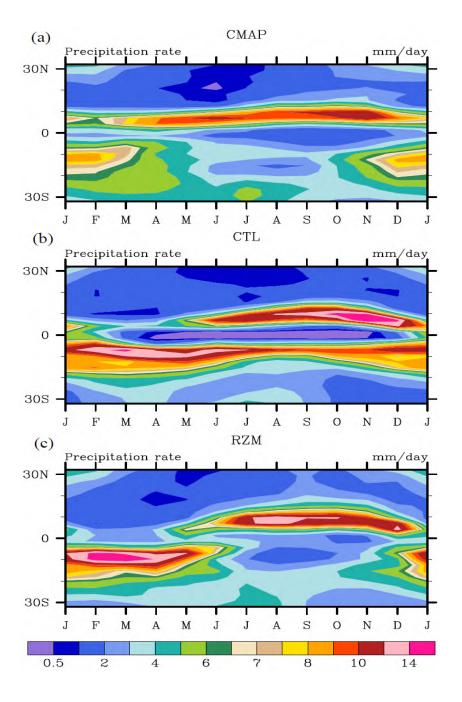
From Dai 2006

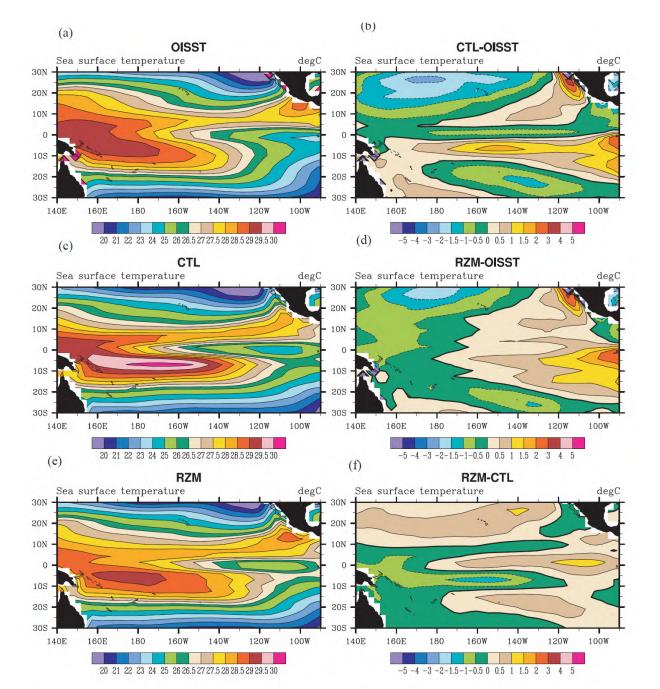


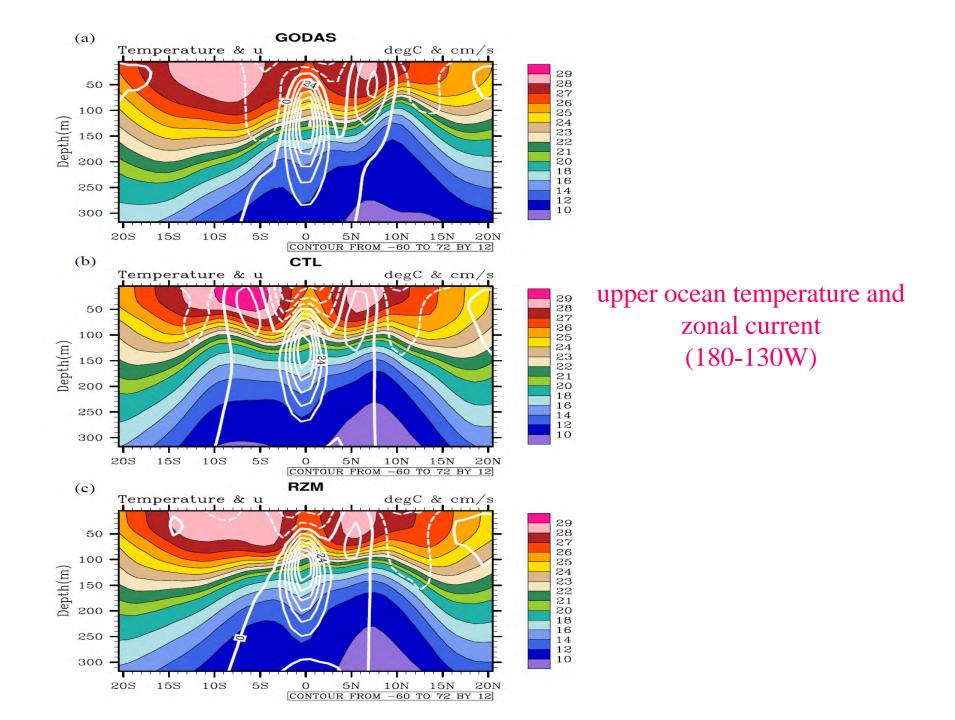


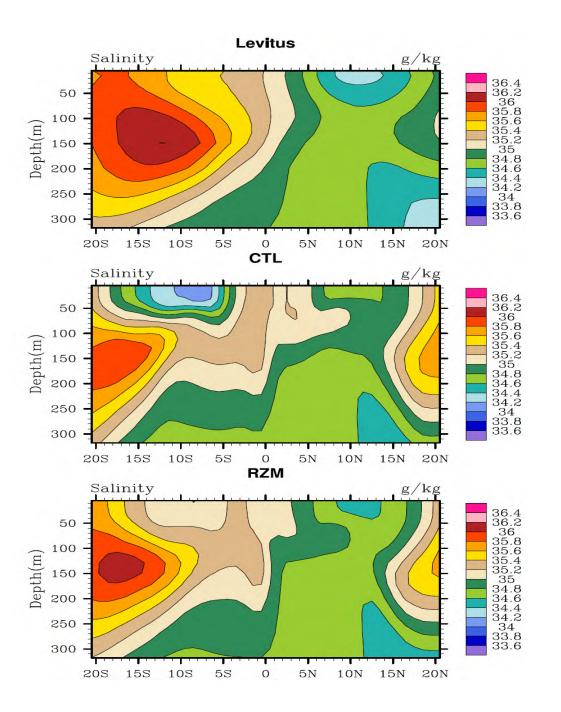








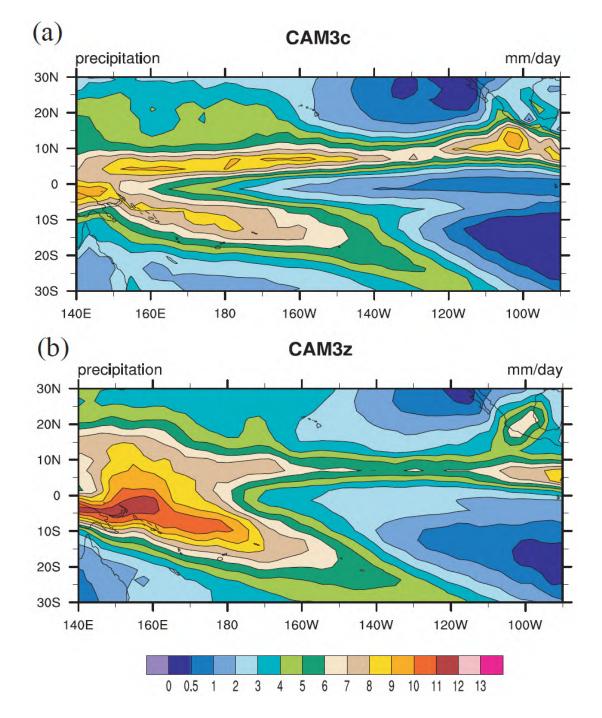


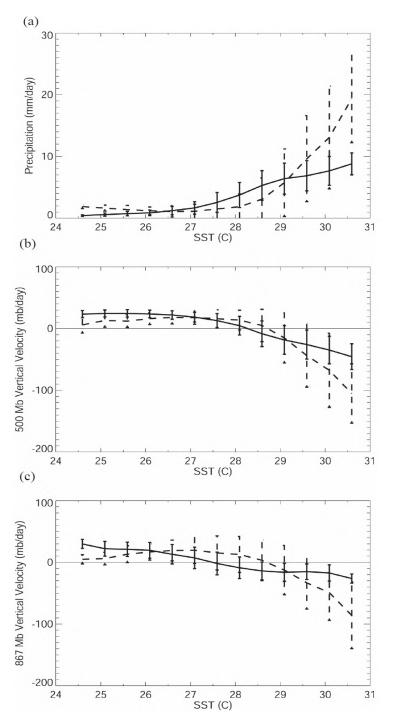


upper ocean salinity (180-130W)

How do changes in convection parameterization lead to improved coupled model simulation?

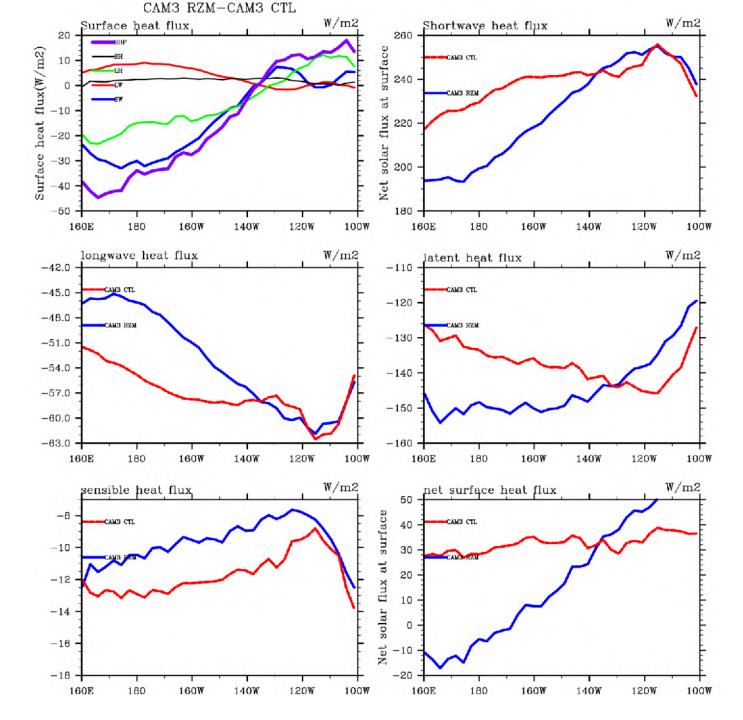
- Biases in the atmospheric model
- Ocean-atmosphere feedback to amplify them

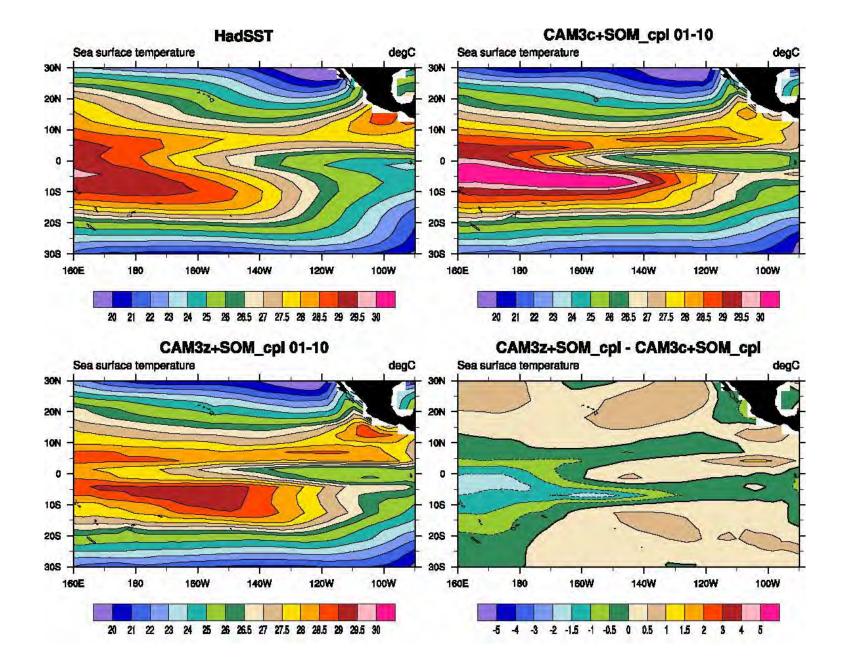


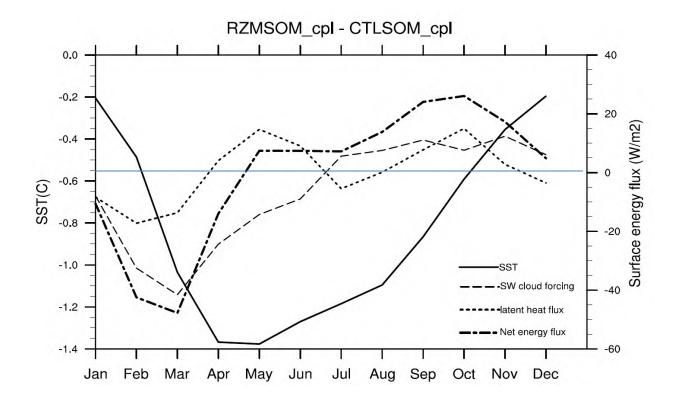


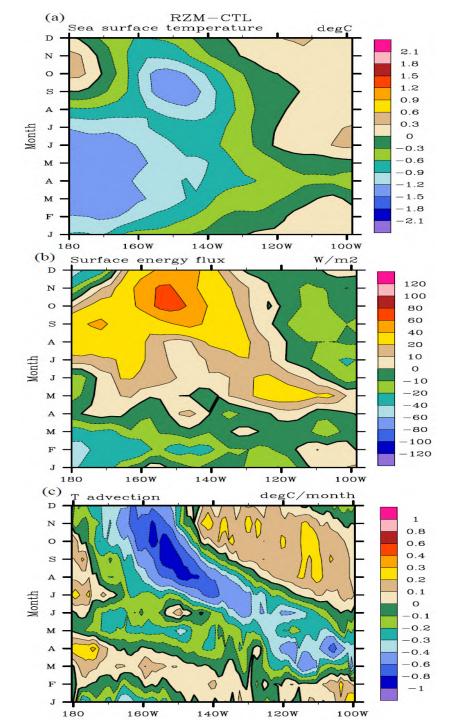
Solid: CTRL

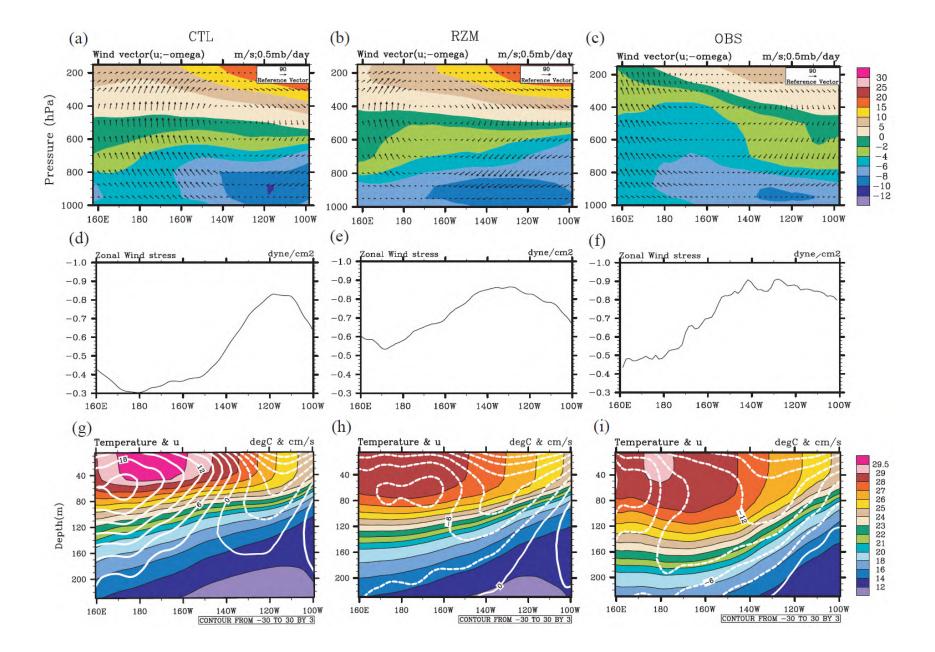
Dashed: RZM

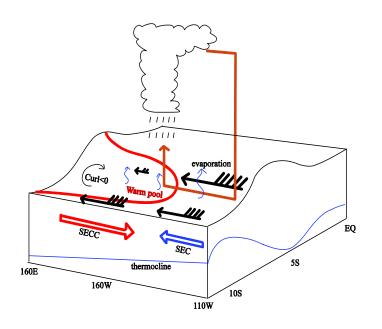


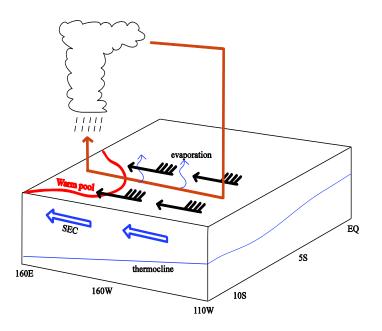












CCSM3

CCSM3 Exp

Summary

- There is significant improvement in reducing the double ITCZ in CCSM3
- The associated ocean temperature, currents and salinity fields are also better simulated
- The role of the coupled feedback is explored...

Feedback Differences

• SST, large-scale circulation, evaporation feedback:

For control: more convection in the central Pacific leads to lower surface winds, which in turn leads to lower evaporation.

For RZM: more convection in the western Pacific leads to stronger surface winds in the central Pacific, thus more evaporation there.

Feedback Differences (con't)

• In CAM3, SST, convection, shortwave flux feedback:

For control: convection in central Pacific leads to small shortwave flux reduction.

For RZM: convection leads to large reduction in surface shortwave flux in the central Pacific.

Feedback Differences (con't)

• In CCSM3, ocean heat transport feedback:

For control: more convection in central Pacific (and weak surface wind stress) leads to warm ocean advection.

For RZM: more convection in the western Pacific leads to cold ocean advection.

 All combined, there is positive feedback for the control and negative feedback for the RZM run